

## Supplemental File 1 - Statistical Supplement

### Primary Analysis: Segmented Regression Model

The following model was fit to evaluate the effect of the intervention on  $\dot{V}O_2\text{peak}$ . The quantity of interest is  $D(\beta_2 - \beta_1)$ , where  $D$  is equal to six, the intended length of the intervention in months.

#### Primary Model

$$y_{ij} = \beta_0 + \beta_1 x_{1i} + \beta_2 x_{2i} + \beta_3 x_{3i} + \beta_4 (Age - 50) + \beta_5 Woman + b_{0i} + b_{1i} + \epsilon_{ij}$$

Where:

$$b_i = \begin{bmatrix} b_{0i} \\ b_{1i} \end{bmatrix} \sim \mathcal{N} \left( 0, \begin{bmatrix} \sigma_{0i} \\ \sigma_{1i} \end{bmatrix} \right), \epsilon_{ij} \sim \mathcal{N}(0, \sigma^2)$$

- $b_i$  is a vector of random person-level effects (for intercept and Phase 1 slope)
- $\epsilon_{ij}$  are the residual errors, see note below
- $\beta_0$  is the average  $\dot{V}O_2\text{peak}$  at the beginning of Phase 2 for a 50-year old male
- $\beta_1$  is the average change in  $\dot{V}O_2\text{peak}$  (slope) during Phase 1 (baseline)
- $\beta_2$  is the average change in  $\dot{V}O_2\text{peak}$  (slope) during Phase 2 (intervention)
- $\beta_3$  is the difference in change in  $\dot{V}O_2\text{peak}$  during Phase 3 (follow-up) compared with Phase 2
- $\beta_4$  is the difference in  $\dot{V}O_2\text{peak}$ , per year of age, relative to a person who is 50.
- $\beta_5$  is the difference in  $\dot{V}O_2\text{peak}$  for females.
- $x_{1i}$  is number of months (28 days) prior to the start of the intervention for person  $i$
- $x_{2i}$  is number of months (28 days) since the start of the intervention for person  $i$
- $x_{3i}$  is number of months (28 days) since the end of the protocol-defined intervention period (25 weeks)

$$x_{3i} = \begin{cases} x_{2i} - 175, & \text{if } x_{2i} > 175 \\ 0, & \text{otherwise} \end{cases}$$

The estimated intervention effect is calculated as  $I = 6(\beta_2 - \beta_1)$ , corresponding to the expected change in  $\dot{V}O_2\text{peak}$  due to the six month intervention. The variation in  $I$  ( $s_I^2$ ) is given by:

$$s_I^2 = 36(s_{\beta_1}^2 + s_{\beta_2}^2 - 2r_{\beta_1\beta_2}s_{\beta_1}s_{\beta_2})$$

where:  $s_{\beta_1} = 0.0808480$ ,  $s_{\beta_2} = 0.1030961$  and  $r_{\beta_1\beta_2} = -0.448$

An auto correlated error model was tested, but the auto correlation was small ( $\rho = 0.06$ ), and did not improve model fit as assessed with a likelihood ratio test, so normally distributed residuals were assumed.

## Post Hoc Exploratory Analyses

### Exploratory Model Incorporating Dose

$$y_{ij} = \beta_0 + \beta_1 x_{1i} + \beta_2 x_{2i} d_i + \beta_3 x_{3i} + \beta_4 (Age - 50) + \beta_5 Woman + b_{0i} + b_{1i} + b_{2i} + \epsilon_{ij}$$

Terms are as for the previous model, with the following additions:  $d_i$  indicates the participant's median number of minutes of moderate to vigorous activity and  $b_{2i}$  is the random person effect associated with change during the intervention phase.

The expected intervention effect for someone meeting the Canadian Physical Activity Guidelines (CPAGs) of 150 min/week was then calculated as  $I = 6 \times 150 (\beta_2 - \beta_1)$  with associated variation:

$$s_I^2 = 36(150^2 s_{\beta_1}^2 + s_{\beta_2}^2 - 300r_{\beta_1\beta_2} s_{\beta_1} s_{\beta_2})$$