Physics coupling with the Finite-Volume Module of IFS

Christian Kühnlein, Sylvie Malardel, Piotr Smolarkiewicz, Nils Wedi

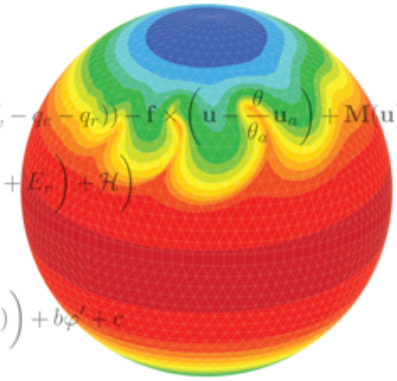
$$\frac{\partial \mathcal{G}\rho}{\partial t} + \nabla \cdot (\mathbf{v}\mathcal{G}\rho) = 0$$

$$\frac{\partial \mathcal{G}\rho\mathbf{u}}{\partial t} + \nabla \cdot (\mathbf{v}\mathcal{G}\rho\mathbf{u}) = \mathcal{G}\rho\left(-\Theta_d \widetilde{\mathbf{G}}\nabla\varphi' - \frac{\mathrm{g}}{\theta_a}(\theta' + \theta_a(\epsilon q_v' - q_c - q_r)) - \mathbf{f}\times\left(\mathbf{u} - \frac{\theta}{\theta_a}\mathbf{u}_a\right) + \mathbf{M}(\mathbf{u}) + \mathbf{D}\right)$$

$$\frac{\partial \mathcal{G}\rho\theta'}{\partial t} + \nabla \cdot (\mathbf{v}\mathcal{G}\rho\theta') = \mathcal{G}\rho\left(-\widetilde{\mathbf{G}}^T\mathbf{u}\cdot\nabla\theta_a - \frac{L}{c_p\pi}\left(\frac{\Delta q_{vs}}{\Delta t} + E_r\right) + \mathcal{H}\right)$$

$$\frac{\partial \mathcal{G}\rho q_k}{\partial t} + \nabla \cdot (\mathbf{v}\mathcal{G}\rho q_k) = \mathcal{G}\rho\mathcal{R}^{q_k}$$

$$\frac{\partial \mathcal{G}\rho\varphi'}{\partial t} + \nabla \cdot (\mathbf{v}\mathcal{G}\rho\varphi') = \mathcal{G}\rho\sum_{\ell=1}^{3}\left(\frac{a_\ell}{\zeta_\ell}\nabla\cdot\zeta_\ell(\tilde{\mathbf{v}} - \widetilde{\mathbf{G}}^T\mathbf{C}\nabla\varphi')\right) + b\varphi' + c$$



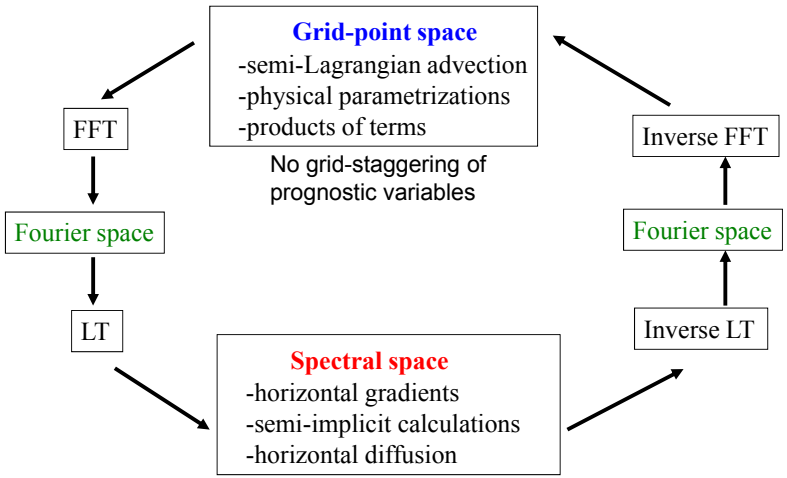
ECMWF

Operational configuration of the Integrated Forecasting System at ECMWF

Current operational dynamical core configuration of the Integrated Forecasting System (IFS) at the ECMWF:

- hydrostatic primitive equations (nonhydrostatic option available; see Benard et al. 2014)
- hybrid $\eta - p$ vertical coordinate (Simmons and Burridge, 1982)
- spherical harmonics representation in horizontal (Wedi et al., 2013)
- finite-element discretisation in vertical (Untch and Hortal, 2004)
- semi-implicit semi-Lagrangian (SISL) integration scheme (Temperton et al. 2001, Diamantakis 2014)
- cubic-octahedral ("TCo") grid (Wedi, 2014, Malardel et al. 2016)
- HRES: TCo1279 (O1280) with $\Delta_h \approx 9\,\text{km}$ and 137 vertical levels
- ENS (1+50 perturbed members): TCo639 (O640) with $\Delta_h \approx 18\,\text{km}$ and 91 vertical levels

Schematic of spectral-transform method in IFS

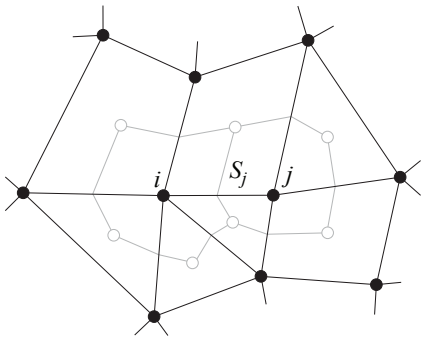


$$\psi(\lambda, \varphi) = \sum_{l=0}^{NSMAX} \sum_{-l \le m \le l} \psi_{l,m} Y_{l,m}(\lambda, \varphi)$$

- IFS physics parametrizations for radiation, sub-grid scale turbulence and surface interaction, orographic/non-orographic drag, moist convection, clouds and stratiform precipitation, surface processes
- Fractional stepping within different parametrizations (Beljaars 1991)
- Coupling of IFS physics parametrizations to dynamical core using SLAVEPP (Semi-Lagrangian Averaging of Physical Parametrizations, Wedi 1999)

Finite-Volume Module of IFS—key formulation features

- moist-precipitating, deep-atmosphere, nonhydrostatic, fully compressible equations (Smolarkiewicz, Kühnlein, Grabowski 2017; Kühnlein et al. *in prep.*)
- flexible height-based terrain-following vertical coordinate
- hybrid of horizontally-unstructured median-dual finite-volume with vertically-structured finite-difference/finite-volume discretisation (Szmelter and Smolarkiewicz 2010; Smolarkiewicz et al. 2016)
- two-time-level semi-implicit integration scheme with 3D implicit acoustic, buoyant and rotational modes (Smolarkiewicz, Kühnlein, Wedi 2014)
- finite-volume non-oscillatory forward-in-time (NFT) MPDATA scheme (Smolarkiewicz and Szmelter 2005; Kühnlein and Smolarkiewicz 2017), directionally-split NFT advective transport (Kühnlein et al., *in prep.*)
- preconditioned generalised conjugate residual iterative solver for 3D elliptic problems arising in the semi-implicit integration schemes (Smolarkiewicz and Szmelter 2011 for a more recent review)
- octahedral reduced Gaussian grid, but the IFS-FVM formulation not restricted to this (Szmelter and Smolarkiewicz 2016)
- optional moving mesh capability (Kühnlein, Smolarkiewicz, Dörnbrack 2012)
- coupling of IFS physics parametrizations using Euler forward approach (see below)



median-dual finite-volume approach

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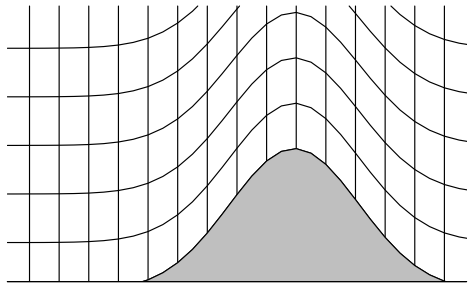
$$\int_\Omega \nabla\cdot\mathbf{A} = \int_{\partial\Omega} \mathbf{A}\cdot\mathbf{n} = \frac{1}{\mathcal{V}_i}\sum_{j=1}^{I(i)} A_j^{\perp} S_j$$

dual volume: $\mathcal{V}_i$, face area: S_j



terrain-following coordinate

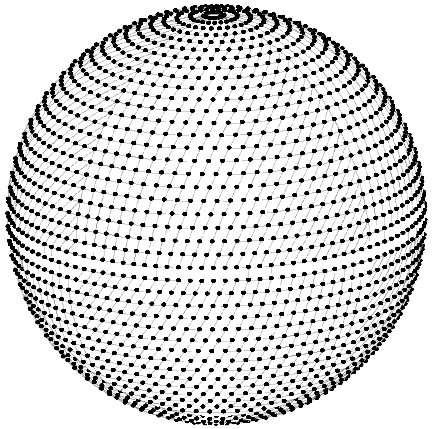
Main formulation features of IFS-ST and IFS-FVM

Summary of the main formulation features of IFS-FVM and IFS-ST:

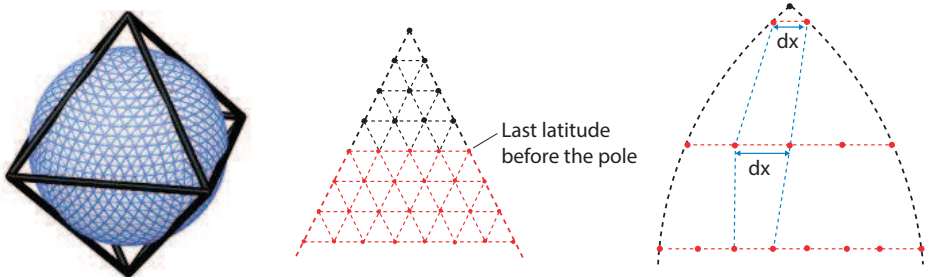
Model aspect	IFS-FVM	IFS-ST	IFS-ST (NH option)
Equation system	fully compressible	hydrostatic primitive	fully compressible
Prognostic variables	$\rho_d, u, v, w, \theta', r_v, r_l, r_r, r_i, r_s$	$p_s, u, v, T_v, q_v, q_l, q_r, q_i, q_s$	$\pi_s, u, v, d_4, T_v, q_v, q_l, q_r, q_i, q_s$
Horizontal coordinates	λ, ϕ (lon-lat)	λ, ϕ (lon-lat)	λ, ϕ (lon-lat)
Vertical coordinate	generalized height	hybrid η-pressure	hybrid η-pressure
Horizontal discretization	unstructured finite-volume (FV)	spectral-transform (ST)	spectral-transform (ST)
Vertical discretization	structured FD/FV	structured FE	structured FD/FE
Horizontal staggering	co-located	co-located	co-located
Vertical staggering	co-located	co-located	co-located/Lorenz
Horizontal grid	octahedral Gaussian/arbitrary	octahedral Gaussian	octahedral Gaussian
Time-stepping scheme	2-TL SI	2-TL constant-coefficient SI	2-TL constant-coefficient SI
Advection	conservative FV Eulerian	non-conservative SL	non-conservative SL

ECMWF

Octahedral reduced Gaussian grid



Nodes of octahedral grid O24



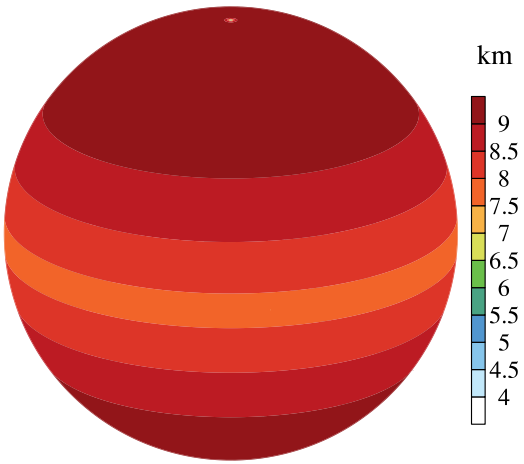
- suitable for spherical harmonics transforms applied in spectral IFS

$\Rightarrow$ finite-volume and spectral-transform IFS can operate on same quasi-uniform horizontal grid

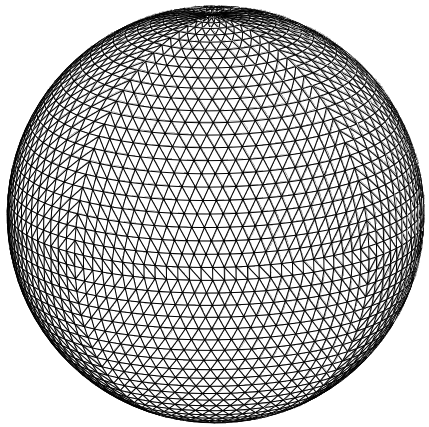
$\rightarrow$ Malardel et al. ECMWF Newsletter 2016, Smolarkiewicz et al. 2016

$\rightarrow$ operational at ECMWF with HRES and ENS since March 2016

- Mesh generator and parallel data structures for IFS-FVM provided by ECMWF's Atlas framework (Deconinck et al. 2017)



Spacing of dual mesh O1280



Primary mesh about nodes of octahedral grid O24 in IFS-FVM

Governing fully compressible equations in IFS-FVM

Building on (Smolarkiewicz, Kühnlein, Grabowski 2017), flux-form fully compressible equations with moist-precipitating processes and IFS physics parametrizations (Kühnlein et al. *in prep.*):

$$\frac{\partial \mathcal{G}\rho_d}{\partial t} + \nabla\cdot(\mathbf{v}\mathcal{G}\rho_d) = 0 \ ,$$

$$\frac{\partial \mathcal{G}\rho_d\mathbf{u}}{\partial t} + \nabla\cdot(\mathbf{v}\mathcal{G}\rho_d\mathbf{u}) = \mathcal{G}\rho_d\left[-\theta_\rho\widetilde{\mathbf{G}}\nabla\varphi' + \mathbf{g}\mathcal{B} - \mathbf{f}\times\left(\mathbf{u} - \frac{\theta_\rho}{\theta_{\rho a}}\mathbf{u}_a\right) + \mathcal{M}' + \boldsymbol{P}^{\mathbf{u}}\right] \ ,$$

$$\frac{\partial \mathcal{G}\rho_d\theta'}{\partial t} + \nabla\cdot\left(\mathbf{v}\mathcal{G}\rho_d\,\theta'\right) = \mathcal{G}\rho_d\left[-\widetilde{\mathbf{G}}^T\mathbf{u}\cdot\nabla\theta_a + P^{\theta'}\right] \ ,$$

$$\frac{\partial \mathcal{G}\rho_d r_k}{\partial t} + \nabla\cdot(\mathbf{v}\mathcal{G}\rho_d\ r_k) = \mathcal{G}\rho_d P^{r_k} \qquad \text{where} \quad r_k = r_v, r_l, r_r, r_i, r_s \ ,$$

$$\frac{\partial \mathcal{G}\rho_d\ \Lambda_a}{\partial t} + \nabla\cdot(\mathbf{v}\mathcal{G}\rho_d\ \Lambda_a) = \mathcal{G}\rho_d P^{\Lambda_a} \ ,$$

$$\varphi' = c_{pd}\left[\left(\frac{R_d}{p_0}\rho_d\,\theta\,(1 + r_v/\varepsilon)\right)^{R_d/c_{vd}} - \pi_a\right] \ .$$

with:

$$\mathbf{v} = \widetilde{\mathbf{G}}^T\mathbf{u} \ , \qquad \theta_\rho = \frac{\theta\,(1 + r_v/\varepsilon)}{(1 + r_t)} \ , \qquad \varepsilon = \frac{R_d}{R_v} \ , \qquad \theta' = \theta - \theta_a \ ,$$

$$\mathcal{B} = 1 - \frac{\theta_\rho}{\theta_{\rho a}} = 1 - \frac{\vartheta}{\theta_{\rho a}}\left(\theta_a + \theta'\right) \ , \qquad \vartheta \equiv \frac{1 + r_v/\varepsilon}{1 + r_t} \ , \qquad r_t = \sum_k r_k = r_v + r_l + r_r + r_i + r_s \ .$$

Integration of the fully compressible equations in IFS-FVM

Generalized transport equation:

$$\frac{\partial G\Psi}{\partial t} + \nabla \cdot (\mathbf{V}\Psi) = G\left(\mathcal{R}^{\Psi} + P^{\Psi}\right)$$

NFT template integration scheme:

$$\Psi_{\mathbf{i}}^{n+1} = \mathcal{A}_{\mathbf{i}}(\widetilde{\Psi}, \mathbf{V}^{n+1/2}, G^{n}, G^{n+1}, \delta t) + b^{\Psi}\,\delta t\,\mathcal{R}^{\Psi}|_{\mathbf{i}}^{n+1} \equiv \widehat{\Psi}_{\mathbf{i}} + b^{\Psi}\,\delta t\,\mathcal{R}^{\Psi}|_{\mathbf{i}}^{n+1}$$

where

$$\widetilde{\Psi} = \Psi^{n} + a^{\Psi}\,\delta t\,\mathcal{R}^{\Psi}|^{n} + \delta t\,P^{\Psi}|^{n}$$

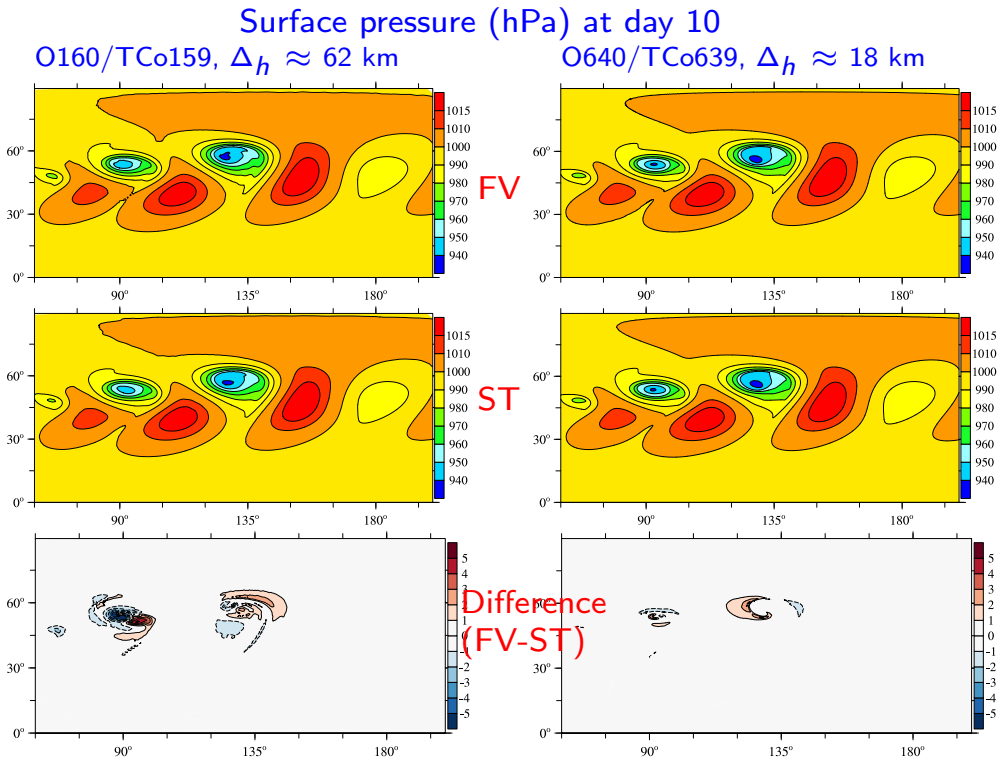
and

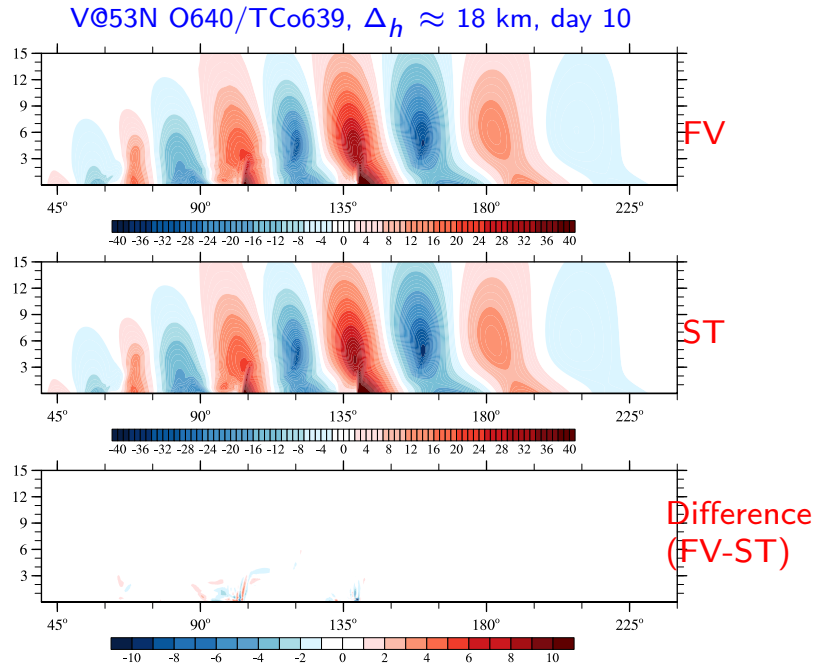
$$P^{\Psi}|^{n} = P^{\Psi}(t_{phys}, \Delta t_{phys}) \text{ where } \Delta t_{phys} = N_s \delta t \quad \text{and} \quad (N_s = 1, 2, 3, ..)$$

Prognostic variable	Ψ	$\mathbf{V}$	G	a^{Ψ}	b^{Ψ}
Dry density	ρ_d	$\mathbf{v}\mathcal{G}$	$\mathcal{G}$	-	-
Zonal physical velocity	u	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	0.5	0.5
Meridional physical velocity	v	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	0.5	0.5
Vertical physical velocity	w	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	0.5	0.5
Potential temperature perturbation	θ'	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	0.5	0.5
Water vapor mixing ratio	r_v	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	-	-
Liquid water mixing ratio	r_l	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	-	-
Rain water mixing ratio	r_r	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	-	-
Ice mixing ratio	r_i	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	-	-
Snow mixing ratio	r_s	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	-	-
Cloud fraction	Λ_a	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	-	-
Exner pressure perturbation	φ'	$\mathbf{v}\mathcal{G}\rho_d$	$\mathcal{G}\rho_d$	0	1.0

Finite-volume and spectral-transform solutions in IFS

Dry baroclinic instability (Ullrich et al. 2014) using IFS-FVM and IFS-ST:

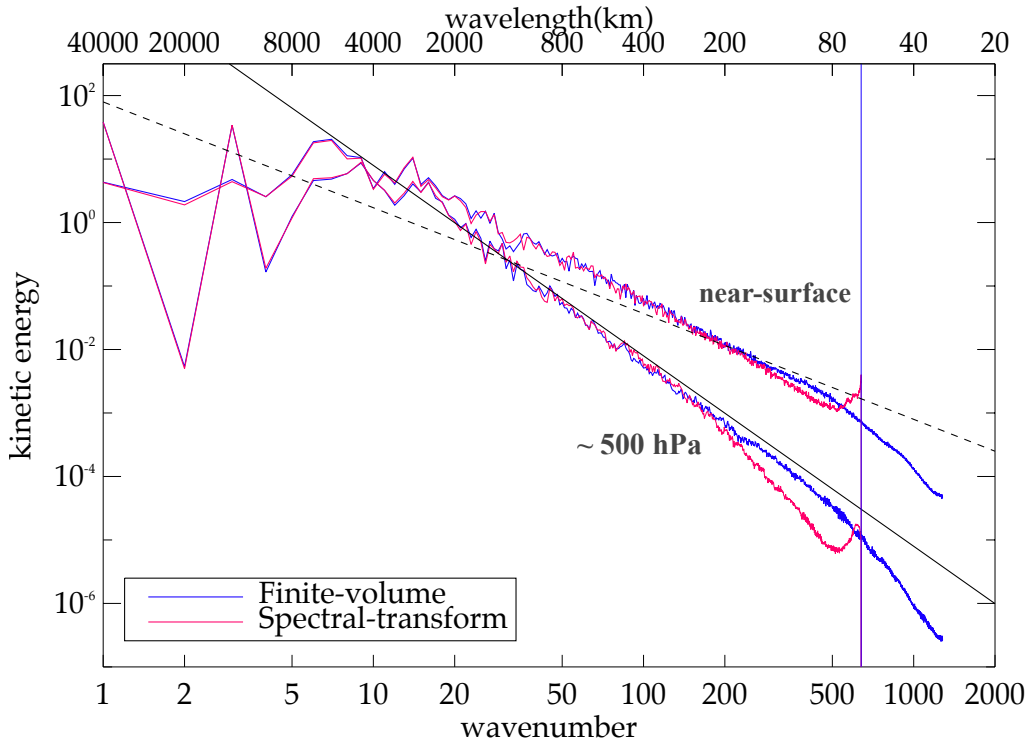




- Finite-volume solutions can achieve accuracy of established spectral-transform IFS for planetary-scale baroclinic instablility

Finite-volume and spectral-transform solutions in IFS

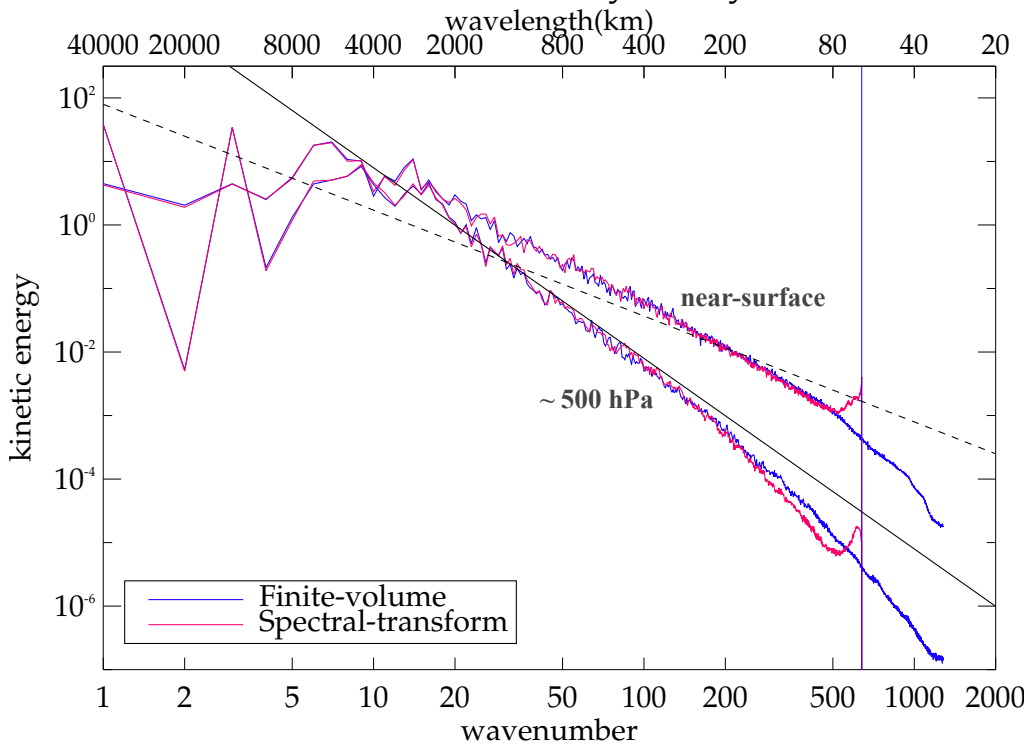
Instantaneous kinetic energy spectra O640/TCo639 ($\Delta_h \approx 18$ km) for baroclinic instability at day 15



$\Rightarrow$ Unsplit NFT advection

Finite-volume and spectral-transform solutions in IFS

Instantaneous kinetic energy spectra O640/TCo639 ($\Delta_h \approx 18$ km) for baroclinic instability at day 15



$\Rightarrow$ Directionally-split NFT advection

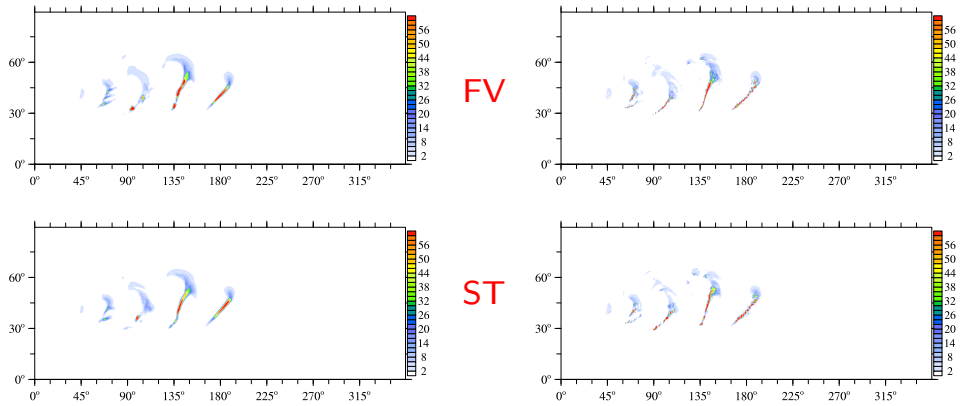
Finite-volume and spectral-transform formulations in IFS

Moist baroclinic instability using IFS-FVM and IFS-ST with parametrization for large-scale condensation and diagnostic precipitation following Reed and Jablonowski 2011:

Precipitation (mm/day) at day 10

O160/TCo159, $\Delta_h \approx 62$ km

O640/TCo639, $\Delta_h \approx 18$ km



Precipitation (mm/day) at day 15

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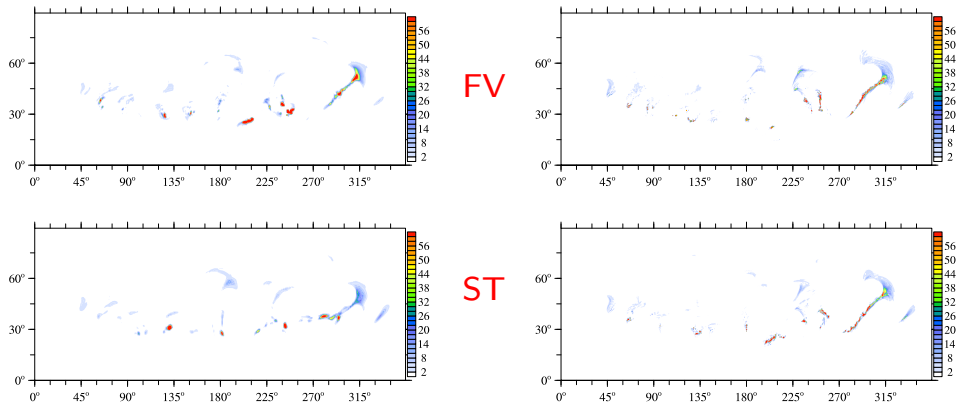
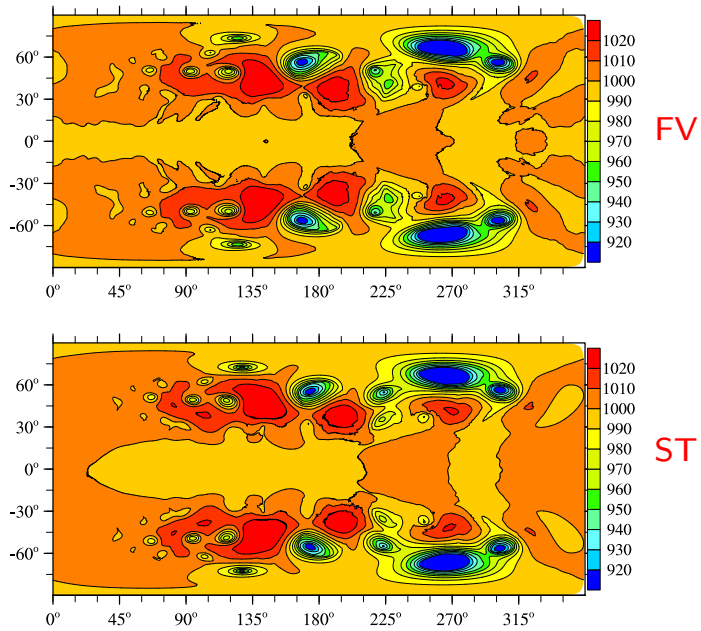


Surface pressure O640/TCo639, $\Delta_h \approx 18$ km, day 15



- Finite-volume solutions can achieve accuracy of established spectral-transform IFS for moist flows

Finite-volume and spectral-transform formulations in IFS

Moist baroclinic instability using IFS-FVM and IFS-ST with parametrization for large-scale condensation and diagnostic precipitation following Reed and Jablonowski 2011:

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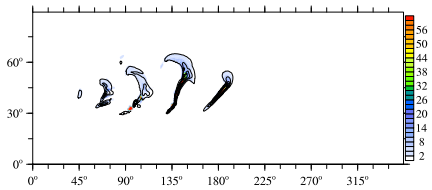
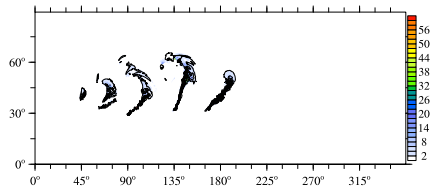
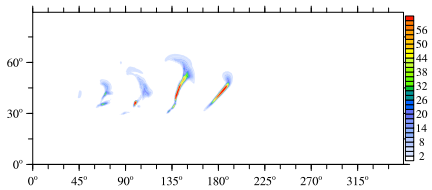
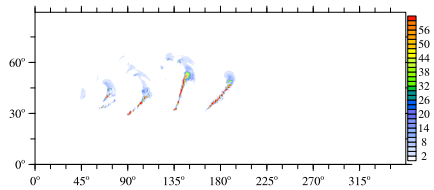


O640/TCo639, $\Delta_h \approx 18$ km



FV

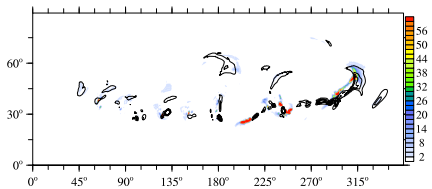




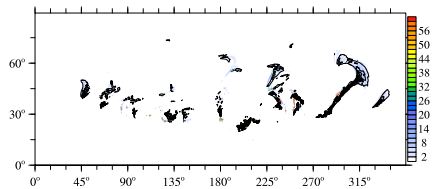
ST

Precipitation (mm/day) at day 15

O160/TCo159, $\Delta_h \approx 62$ km



O640/TCo639, $\Delta_h \approx 18$ km



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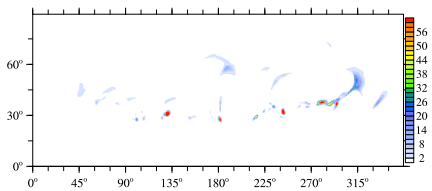
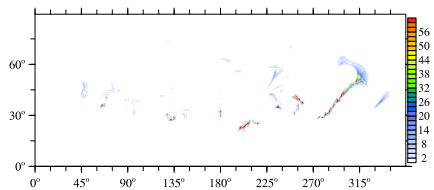
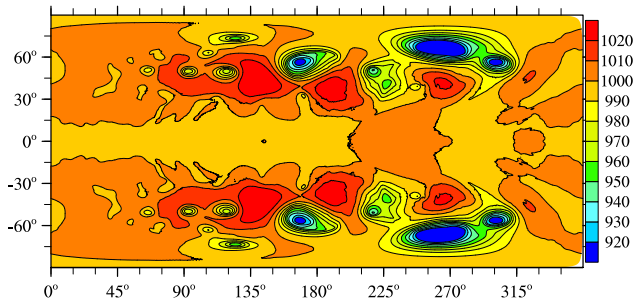


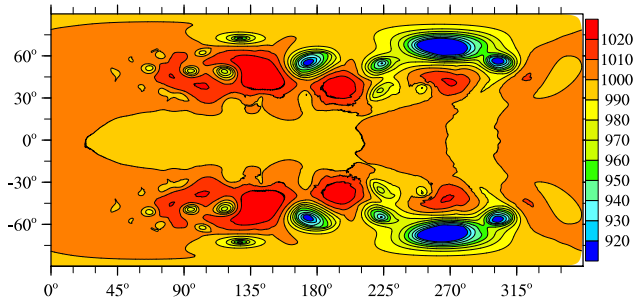


ST

Surface pressure O640/TCo639, $\Delta_h \approx 18$ km, day 15



FV

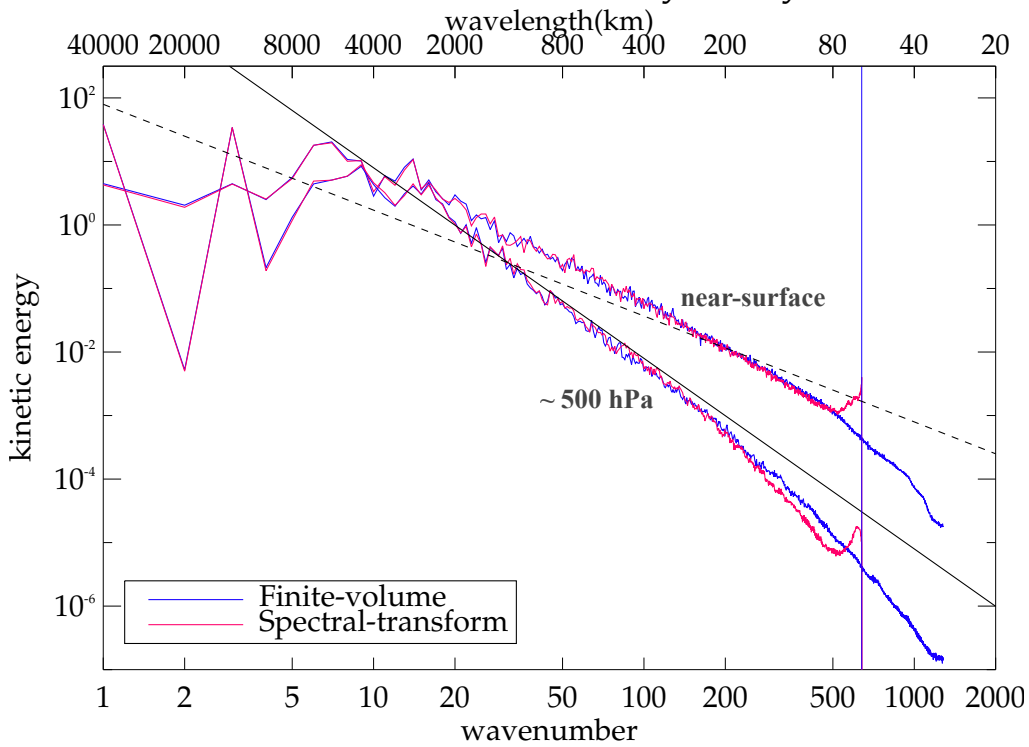


ST

- Finite-volume solutions can achieve accuracy of established spectral-transform IFS for moist flows

Finite-volume and spectral-transform solutions in IFS

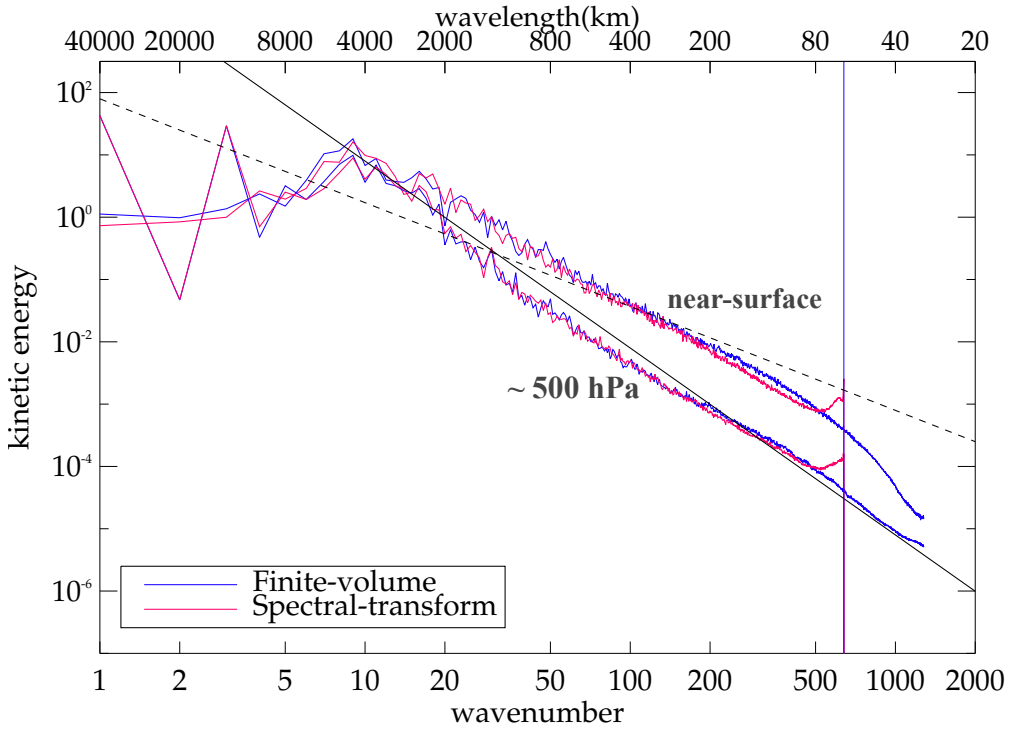
Instantaneous kinetic energy spectra O640/TCo639 ($\Delta_h \approx 18$ km) for moist baroclinic instability at day 15



$\Rightarrow$ Dry simulation with split NFT advection

Finite-volume and spectral-transform solutions in IFS

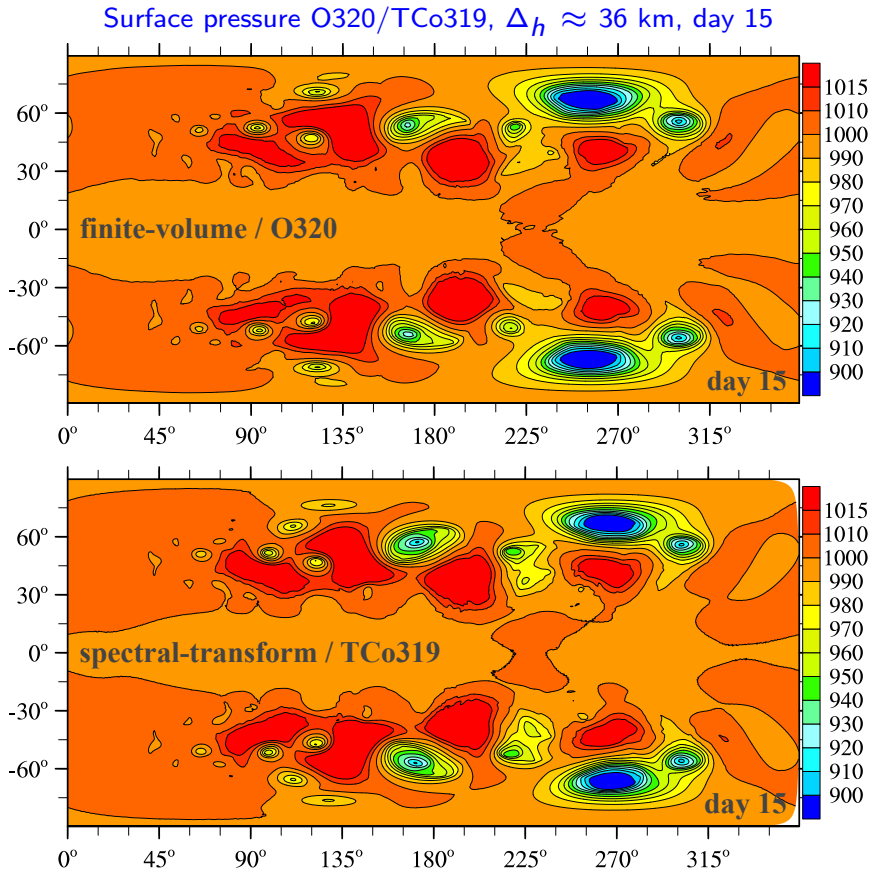
Instantaneous kinetic energy spectra O640/TCo639 ($\Delta_h \approx 18$ km) for moist baroclinic instability at day 15



$\Rightarrow$ Moist simulation with split NFT advection

Finite-volume and spectral-transform solutions in IFS

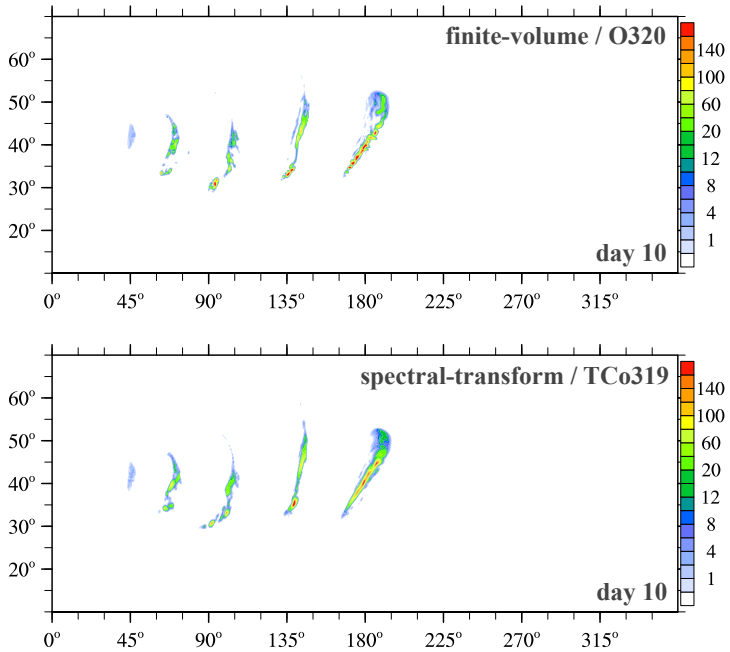
Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization (Forbes et al. 2010):



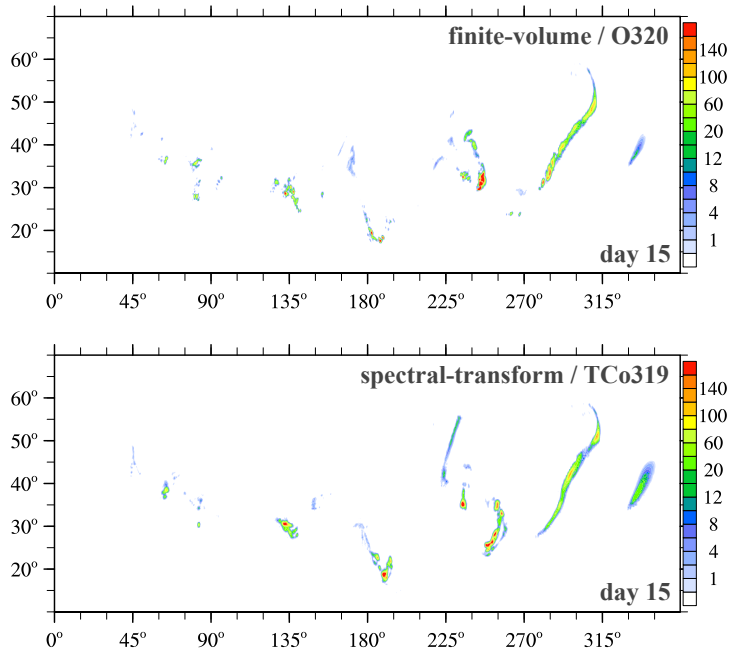
Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization:

Precipitation (mm/day) at day 10
O320/TCo319, $\Delta_h \approx 36$ km



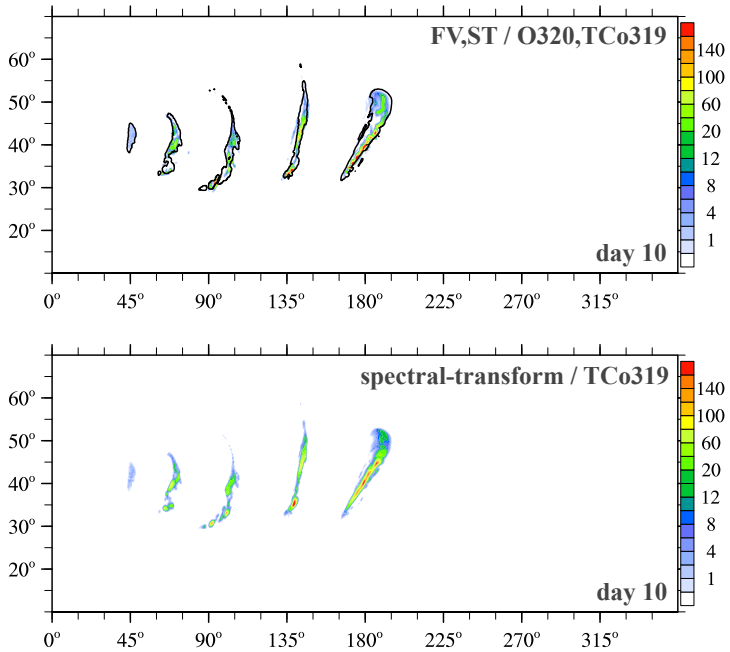
Precipitation (mm/day) at day 15
O320/TCo319, $\Delta_h \approx 36$ km



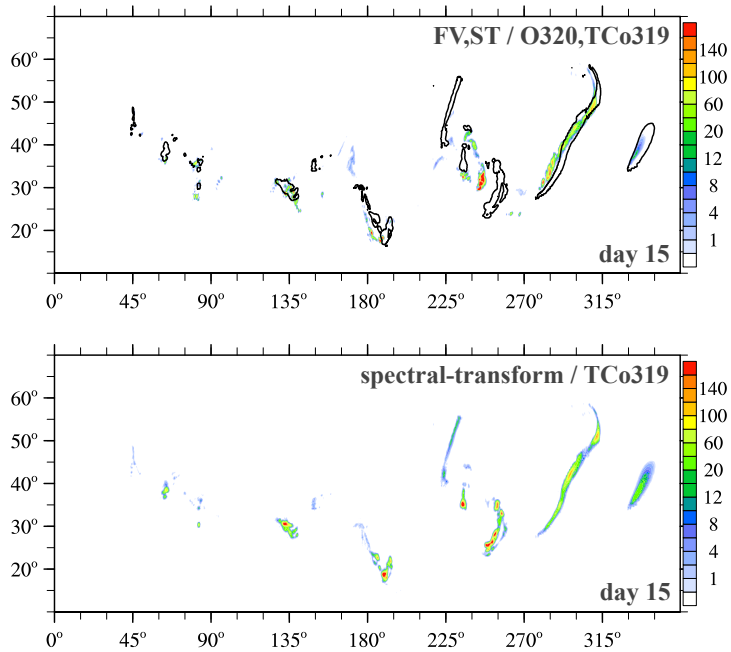
Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization:

Precipitation (mm/day) at day 10
O320/TCo319, $\Delta_h \approx 36$ km



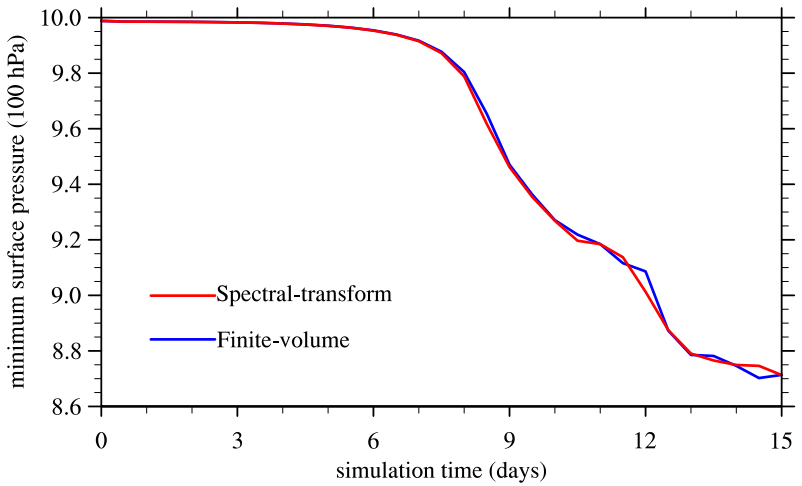
Precipitation (mm/day) at day 15
O320/TCo319, $\Delta_h \approx 36$ km

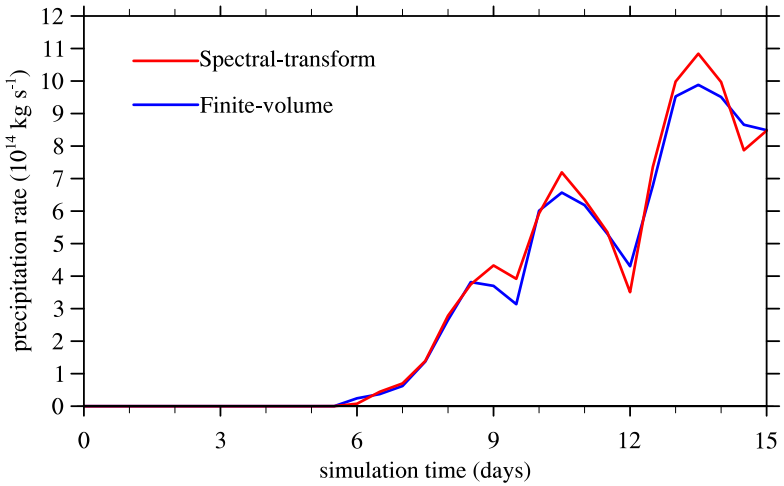


Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization:

Minimum surface pressure (left) and area-averaged large-scale precipitation rate (right) for O320/TCo319, $\Delta_h \approx 36$ km

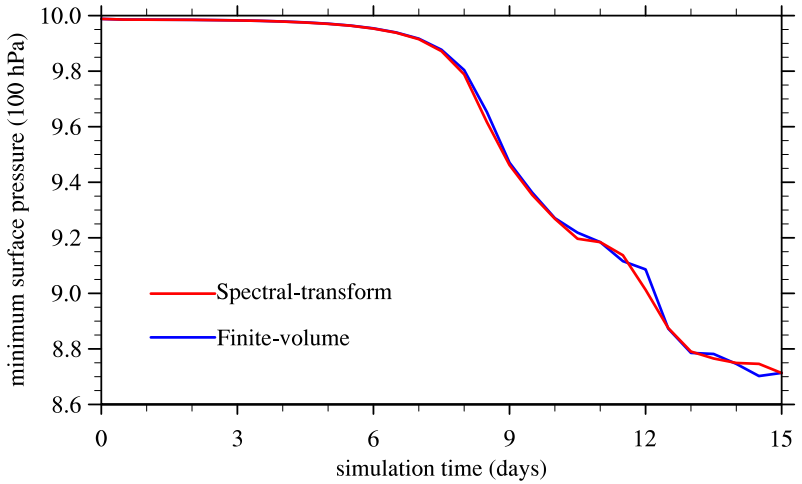


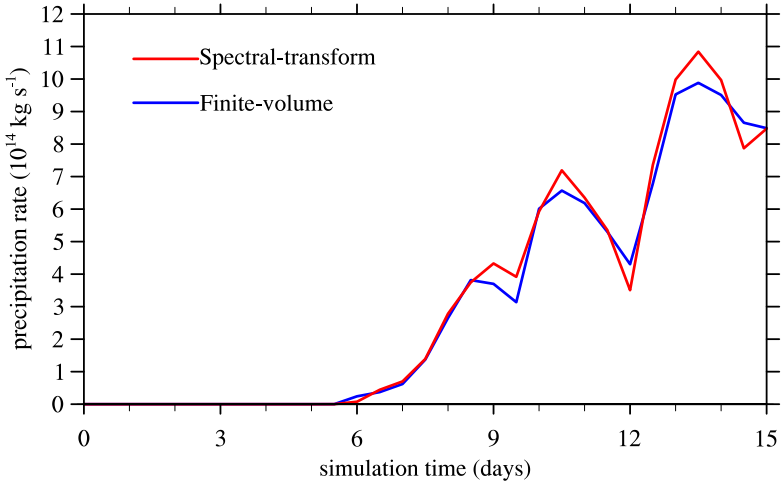


Finite-volume and spectral-transform solutions in IFS

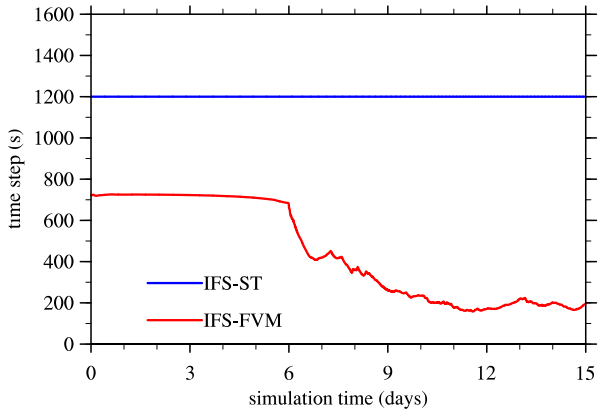
Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization:

Minimum surface pressure (left) and area-averaged large-scale precipitation rate (right) for O320/TCo319, $\Delta_h \approx 36$ km





Semi-implicit time step size δt



Physics-dynamics coupling in IFS-FVM: subcycling the dynamics

The IFS-FVM interface to the physics parametrizations also includes an option for subcycling of the dynamics. The template semi-implicit NFT scheme (shown on the previous slide) for one physics time step from t^N to $t^N + \Delta t_{phys} \equiv t^N + N_s \delta t$, can be written as $\ell = 1, N_s$:

$$\Psi_{\mathbf{i}}(t^N + \ell\delta t) = \mathcal{A}_{\mathbf{i}}(\widetilde{\Psi}, \mathbf{V}(t^N + (\ell\delta t - 0.5)), G(t^N + (\ell-1)\delta t), G(t^N + \ell\delta t), \delta t) + b^{\Psi}\, \delta t\, \mathcal{R}_{\mathbf{i}}^{\Psi}(t^N + \ell\delta t) \ ,$$

where

$$\widetilde{\Psi} = \Psi(t^N + (\ell-1)\delta t) + a^{\Psi}\, \delta t\, \mathcal{R}^{\Psi}(t^N + (\ell-1)\delta t) + \delta t\, P^{\Psi}(t^N, \Delta t_{phys}) \ .$$

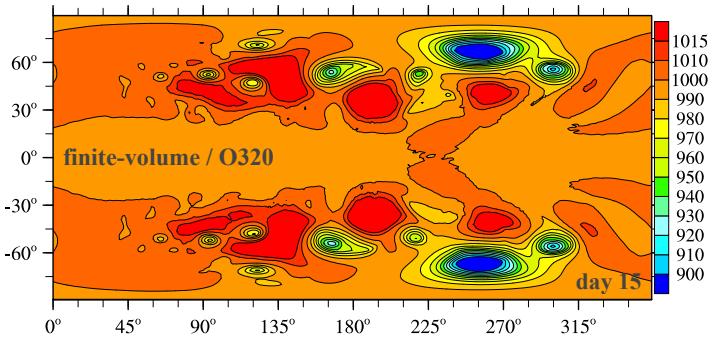
The physics tendency P^{Ψ} is evaluated with the physics time step Δt_{phys} and is then reused for the N_s subcycling steps with δt.

Finite-volume and spectral-transform solutions in IFS

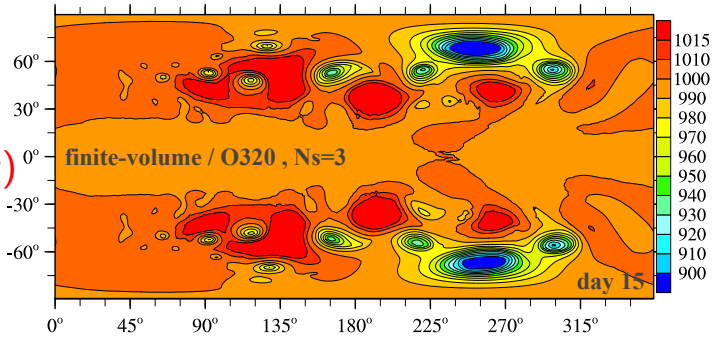
Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization:

Surface pressure O320/TCo319, $\Delta_h \approx 36$ km, day 15

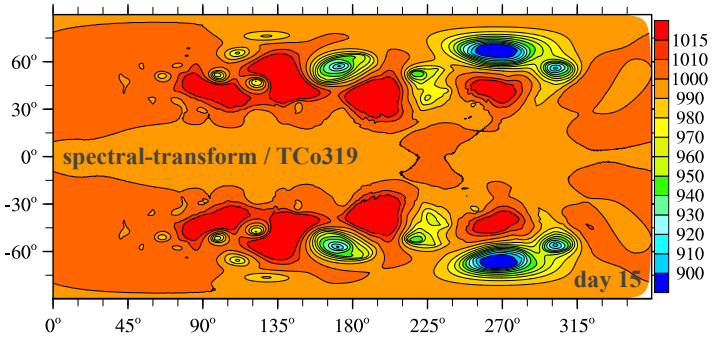
FV



FV (subcycling)



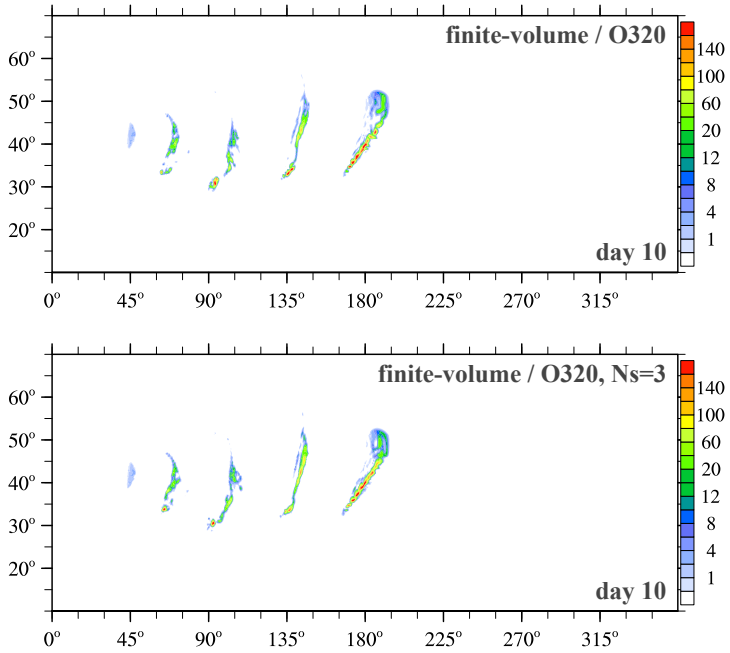
ST



Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM with IFS cloud parametrization (no subcycling versus subcycling of dynamics $N_s = 3$):

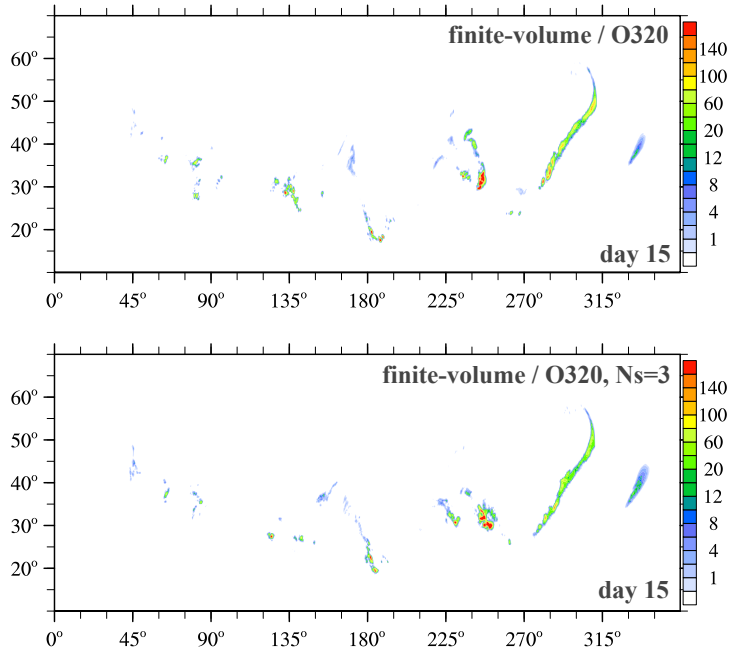
Precipitation (mm/day) at day 10
O320/TCo319, $\Delta_h \approx 36$ km



FV

ST

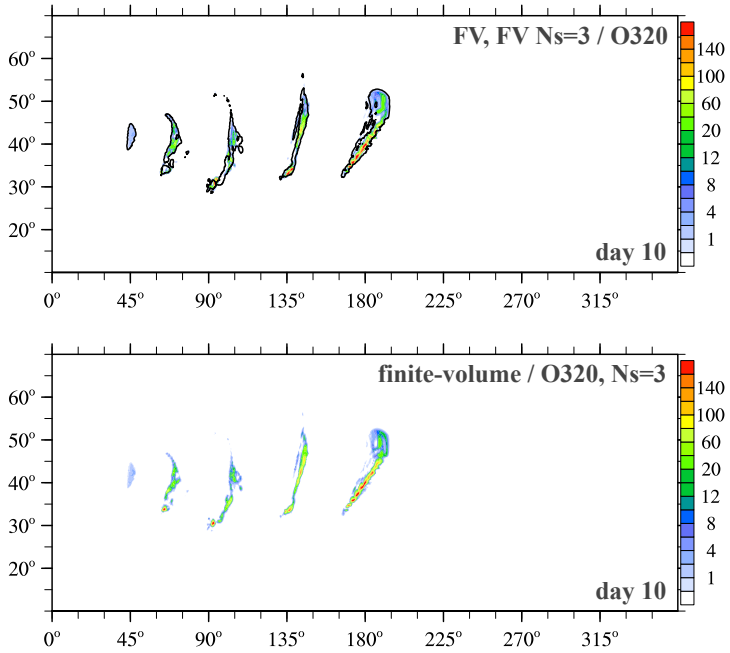
Precipitation (mm/day) at day 15
O320/TCo319, $\Delta_h \approx 36$ km



Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM with IFS cloud parametrization (no subcycling versus subcycling of dynamics $N_s = 3$):

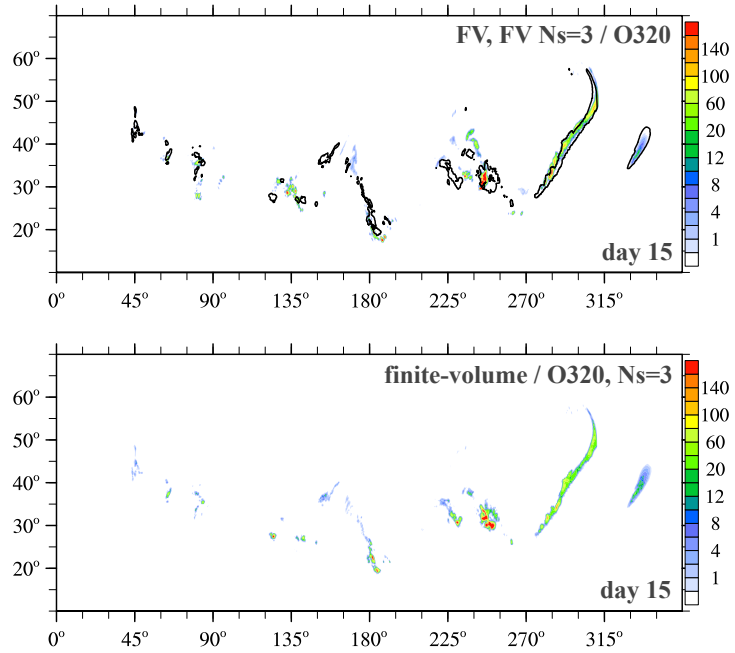
Precipitation (mm/day) at day 10
O320/TCo319, $\Delta_h \approx 36$ km



FV

ST

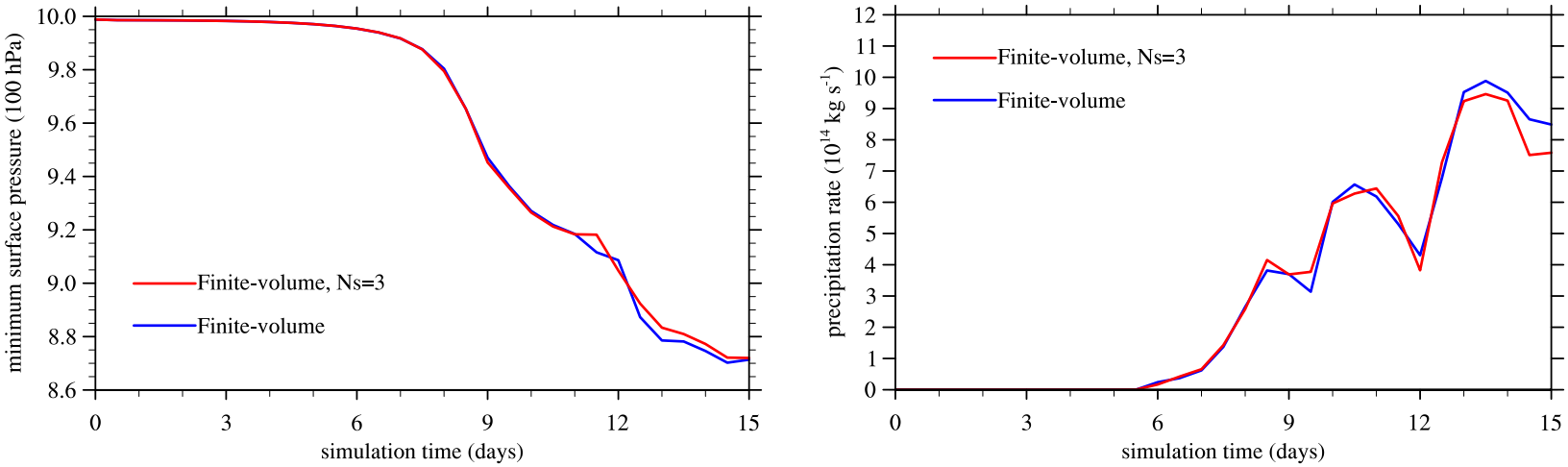
Precipitation (mm/day) at day 15
O320/TCo319, $\Delta_h \approx 36$ km



Finite-volume and spectral-transform solutions in IFS

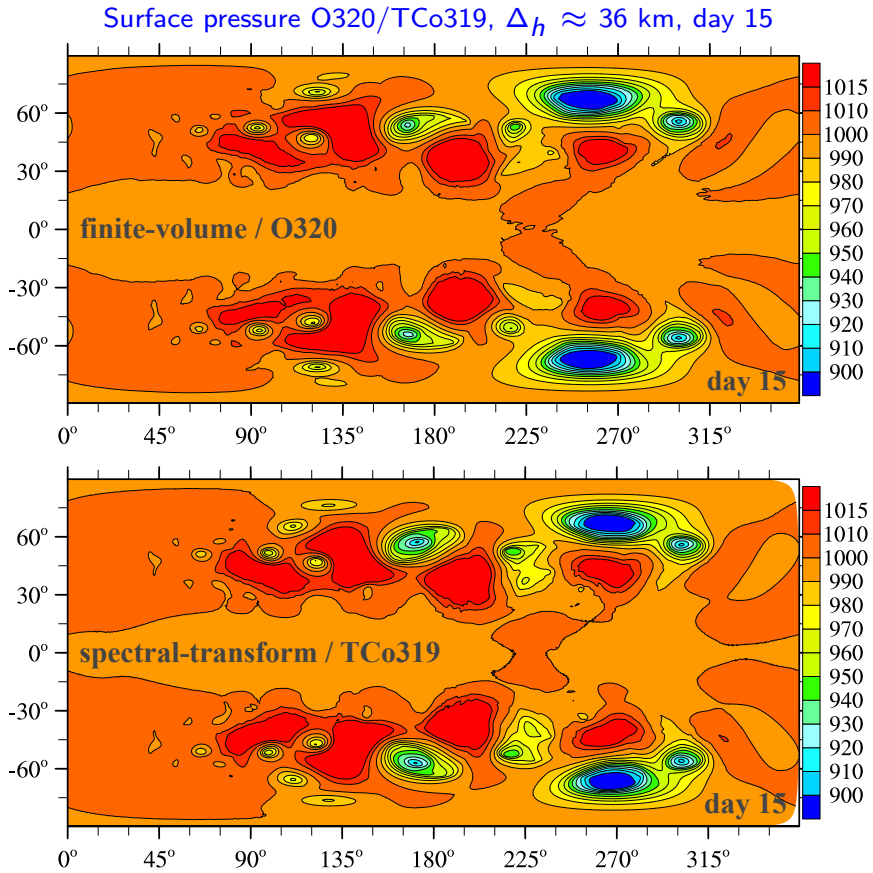
Moist-precipitating baroclinic instability using IFS-FVM with IFS cloud parametrization (no subcycling versus subcycling of dynamics $N_s = 3$):

Minimum surface pressure (left) and area-averaged large-scale rain rate (right) for O320/TCo319, $\Delta_h \approx 36$ km



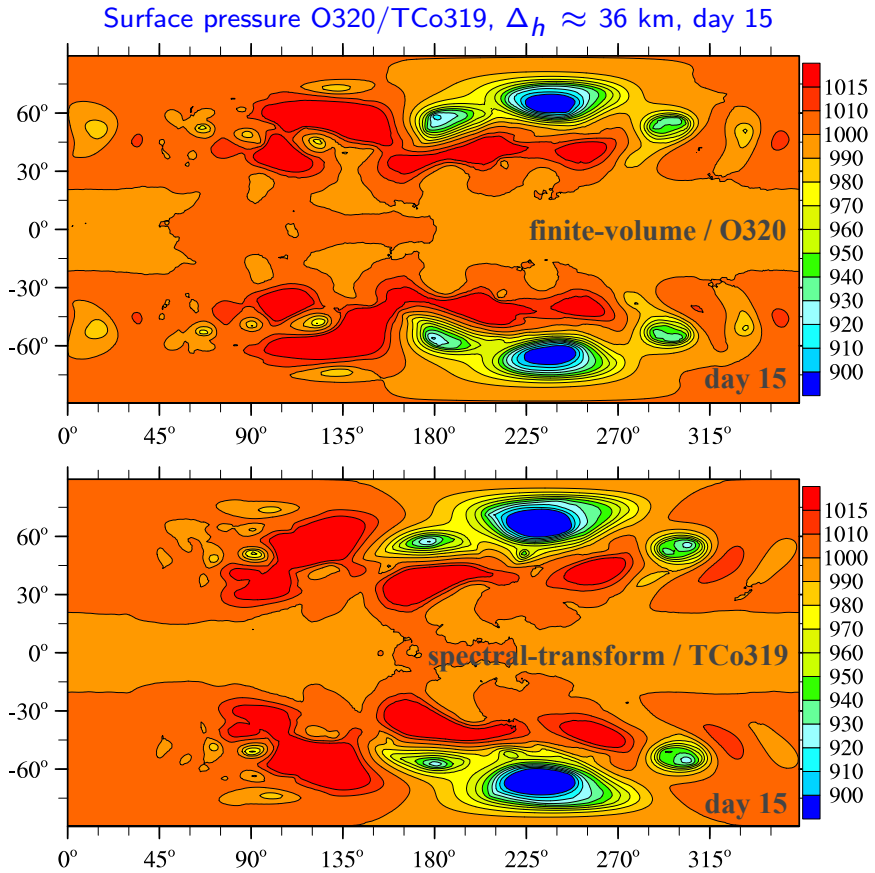
Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud parametrization:



Finite-volume and spectral-transform solutions in IFS

Moist-precipitating baroclinic instability using IFS-FVM and IFS-ST with IFS cloud and convection parametrization:



Finite-volume and spectral-transform solutions in IFS

Tropical cyclone simulations with coupling to parametrisations for large-scale condensation with diagnostic rain, surface fluxes and PBL diffusion (Reed and Jablonowski 2011) on O640/L60:

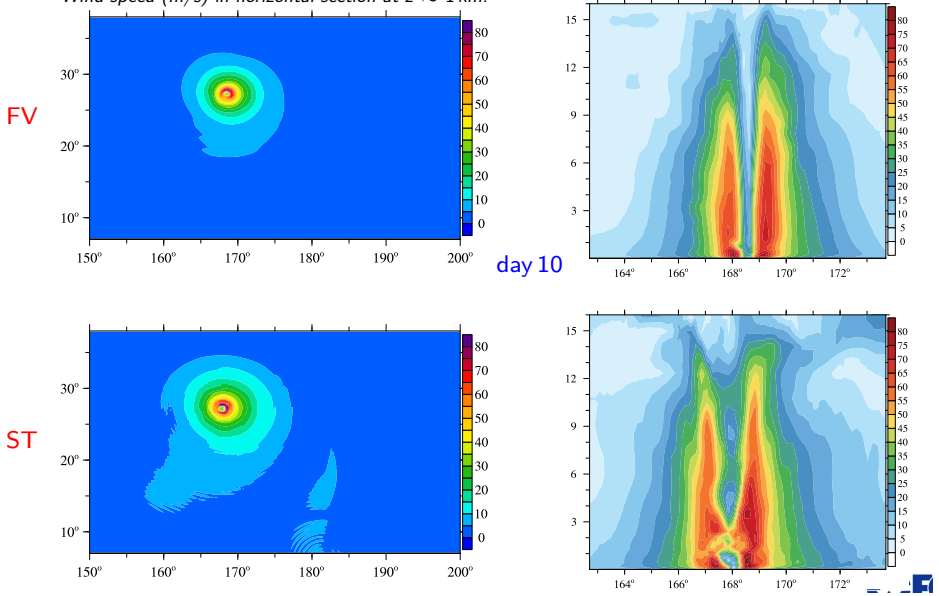
Wind speed (m/s) in horizontal section at z ≈ 1 km:

Wind speed (m/s) in zonal-height section:

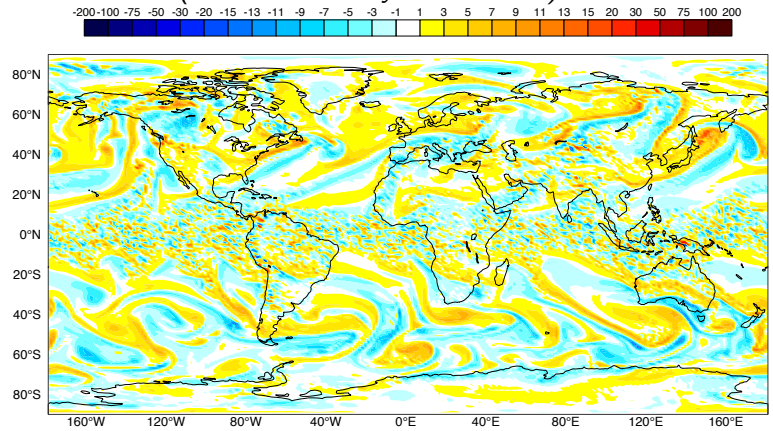
FV

day 10

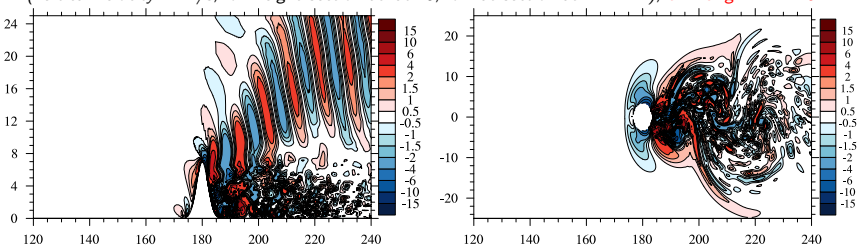
ST



Held-Suarez climate benchmark O640
(16 km) with realistic IFS orography at day 90
(relative vorticity at z=2 km)



stratified flow past steep orography with maximum slope ∼70° on a reduced-radius planet after 2 h
(vertical velocity in m/s, lon-height section at lat=0, lon-lat section at z=2 km), cf. Zängl MWR 2012



Summary and outlook

Highlights:

- IFS-FVM with generic interface to selected IFS physics parametrizations
- finite-volume versus spectral-transform semi-implicit integration schemes in geospherical framework with same grid, variable arrangement, parametrizations
- finite-volume semi-implicit integration of IFS-FVM can provide solution quality competitive to established spectral-transform IFS

Ongoing and outlook:

- coupling of IFS-FVM to full IFS physics parametrization package
- towards convection-permitting global medium-range weather forecasts
- combining methods of IFS-FVM and IFS-ST

Some relevant references

Further reading:

- Kühnlein C., P. K. Smolarkiewicz, A. Dörnbrack, Modelling atmospheric flows with adaptive moving meshes., J. Comput. Phys., 2012.
- Szmelter J., P. K. Smolarkiewicz P.K, An edge-based unstructured mesh discretisation in a geospherical framework., J. Comput. Phys., 2010.
- Smolarkiewicz P.K., C. Kühnlein, N. P. Wedi, A discrete framework for consistent integrations of soundproof and compressible PDEs of atmospheric dynamics., J. Comput. Phys., 2014.
- Smolarkiewicz P.K., W. Deconinck, M. Hamrud, C. Kühnlein, G. Modzinski, J. Szmelter, N. P. Wedi, A finite-volume module for simulating global all-scale atmospheric flows., J. Comput. Phys., 2016.
- Kühnlein C., Smolarkiewicz P.K., An unstructured-mesh finite-volume MPDATA for compressible atmospheric dynamics., J. Comput. Phys., 2017.
- Smolarkiewicz P.K., C. Kühnlein, W. W. Grabowski, A finite-volume module for cloud-resolving simulations of global all-scale atmospheric flows., J. Comput. Phys., 2017.
- Deconinck W., P. Bauer, M. Diamantakis, M. Hamrud, C. Kühnlein, G. Mengaldo, P. Marciel, T. Quintino, B. Raoult, P. K. Smolarkiewicz, N. P. Wedi, *Atlas*: The ECMWF framework to flexible numerical weather and climate modelling., https://doi.org/10.1016/j.cpc.2017.07.006, 2017.
- Waruszewski M., C. Kühnlein, H. Pawlowska, P. K. Smolarkiewicz, MPDATA: Third-order accuracy for arbitrary flows, *in press, JCP.*
- Smolarkiewicz P.K., C. Kühnlein, N. P. Wedi, Perturbation equations for all-scale atmospheric dynamics., *submitted to J. Comput. Phys.*
- Kühnlein C., S. Malardel, Smolarkiewicz P.K., Klein R., Wedi N.P., Finite-volume and spectral-transform formulations of IFS, *in preparation for GMD*

IFS-FVM interface to IFS physics parametrization package

Some notes on IFS-FVM physics parametrization interface:

- implemented by first-order coupling at t^n, with option for subcycling the entire IFS-FVM semi-implicit dynamics
- coding incorporates relevant IFS physics routines in IFS-FVM bundle (setup, modules, phys_ec, surf, phys_radi,...)
- interface is at the level of ec_phys_drv.F90 (defined as ec_phys_drv_fvm.F90)
- example TODO's way-in/out: conversions between r_k's and q_k's, conversions related to height- versus pressure-based vertical coordinate, compute required quantities on interfaces, geometric quantities,...
- coupling setup in vertical such that lowest full level in IFS-FVM corresponds to lowest full level in IFS-ST
- no NPROMA blocks in IFS-FVM and Fortran pointers are used to flip vertical index in interface