# Impact of different factors on the pollution-reduction and resource-saving effects of cleaner production

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9 pages including 8 tables, 3 figures and supplementary introduction of different statistical test methods.

## SUPPORTING INFORMATION

### **Supplementary Introduction of Different Statistical Test Methods**

In this manuscript, five statistical test methods were used in total. Following part will introduce their uses, null hypotheses, and the way to make statistical decision were introduced respectively.

Kolmogorov-Smirnov Test and Levine's Test introduction. Kolmogorov-Smirnov Test and Levine's Test were used to decide whether the Analysis of Variance was applicable. Two important requirements of Analysis of Variance's application were that the data of every sub-factor complies with normal distribution and their variances were statistically same. The null hypothesis of Kolmogorov-Smirnov Test is the data of every sub-factor comply with normal distribution. If the *p*-value calculated by *rr* sample was greater than significance level ( $\alpha$ ), we should retain the null hypothesis, one requirement of Analysis of Variance's application was meet. The null hypothesis of Levine's Test is the data of every sub-factor had the same variances. If the *p*-value calculated by *rr* sample was greater than  $\alpha$ , we should retain the null hypothesis, and another requirement of Analysis of Variance's application was met.

Analysis of Variance introduction. If we retain the null hypotheses of Kolmogorov-Smirnov Test and Levine's Test, one-way (only analyzed one factor) Analysis of Variance was used to determine whether one factor impacts rr significantly. The null hypothesis of Analysis of Variance is that the mean rr of every sub-factor is the same. If the *p*-value calculated by the rr sample was less than  $\alpha$ , we should reject the null hypothesis, the factor impacts rr significantly.

*Kruskal-Wallis Test* introduction. If one-way *Analysis of Variance* indicated that the analyzed factor impacted *rr* significantly, *Kruskal-Wallis Test* was used to further verify the statistical conclusion of *Analysis of Variance* (analyzed factor impacted *rr* significantly). The null hypothesis of *Kruskal-Wallis Test* is that the *rr* of different sub-factors had the same distribution. If the *p*-value calculated by *rr* sample was

greater than  $\alpha$ , we should retain the null hypothesis, further indicating that the analyzed factor impacts *rr* significantly.

Least Significant Difference introduction. When both Analysis of Variance and the Kruskal-Wallis Test showed that the factor significantly impacted rr, Least Significant Difference was used to identify the sub-factor pairs (such as to industry sectors) in which the rr of one sub-factor was significantly higher or lower than that of other sub-factor. The null hypothesis of Least Significant Difference is that the rr of two factors is the same. If the *p*-value calculated by rr sample was less than  $\alpha$ , we should reject the null hypothesis, and the mean rr of two sub-factors were different.

Another use of Analysis of Variance. Moreover, except one-way Analysis of Variance, two-way Analysis of Variance was also used. The intention of two-way Analysis of Variance was to judge whether the significant influence of industry factor was caused by the difference of resource and pollutant types in different industry sector. In this study, three types of statistic, including mean square, F-value, and p-value, were used to analyze the reciprocal effect between pollutant and resource type and industry sector. Mean square measures the average variation of rr caused only by one factor, and is used to calculate F-value. Based on F-value we can obtain the p-value of one analyzed factor. Note that for two analyzed factors there are two p-values. If the p-vale of one analyzed factor was less than a, the analyzed factor still had a significant effect on rr, given that other factors remained unchanged. Specific results were shown in Table 4.

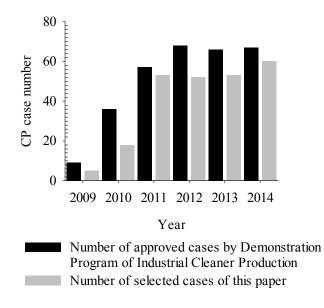


Figure S1. CP cases over different years

	2009	2010	2011	2012	2013	2014	
Anhui	61.15		49.43	49.04	29.33	52.62	Mean m of
Bejing					41.48		combinatioins (%)
Fujian			34.00	50.00	40.00		4
Gansu					100.00		8
Guangdong		12.74	50.00	48.86			12
Guangxi		75.50	20.00	30.00			16
Hebei	55.00	60.14	32.18	50.55	100.00	68.59	20
Henan	15.50		61.09	52.48	57.14	58.49	24
Heilongjiang				31.97	41.47	78.26	28
Hubei			35.31	59.00	59.08	78.51	32
Hunan		32.50	60.57	56.71	100.00	60.14	36
Jilin		40.00	45.85		81.19		40
Jiangsu			57.85	53.33	48.30	54.56	44
Jiangxi			19.72	59.65	64.03	66.54	48
Liaoning		100.00	73.87		78.03	95.00	52
Inner Mongolia			30.99	43.17		53.00	56
Ningxia	72.12		28.97	95.00	68.09	37.21	60
Qinghai					30.00	100.00	64
Shuandong			47.21	51.92	50.46	49.49	68
Shanxi			63.00	26.50			72
Shaanxi		84.62		78.67		80.00	76
Sichuan			40.10	48.79	100.00	13.30	80
Tibet			45.49	70.00			84
Sinkiang		50.00	49.66	100.00		43.39	88
Yunnan		66.59	55. <b>9</b> 7				92
Zhejiang			55.91	32.19	50.00	77.24	96
Chongqing			51.00	50.85			100

Figure S2. The mean *rr* of different region and year combinations

	2009	2010	2011	2012	2013	2014	
Anhui	5		2	9	3	21	The sample
Bejing					2		size of rr
Fujian			5	1	2		1
Gansu					1		2
Guangdong		2	1	2			3
Guangxi		2	2	1			4
Hebei	1	5	4	7	1	9	5
Henan	2		9	11	23	10	6
Heilongjiang				4	3	2	7
Hubei			5	10	10	4	8
Hunan		4	6	4	1	8	9
Jilin		4	5		5		10
Jiangsu			6	3	19	17	11
Jiangxi			2	5	4	3	12
Liaoning		1	6		1	1	13
Inner Mongolia			3	3		2	14
Ningxia	4		9	1	2	1	15
Qinghai					1	1	16
Shuandong			6	13	22	29	17
Shanxi			3	2			18
Shaanxi		1		3		1	19
Sichuan			10	9	1	1	20
Tibet			3	2			21
Sinkiang		1	7	1		3	22
Yunnan		2	5				23
Zhejiang			7	2	1	5	29
Chongqing			2	4			

Figure S3. The sample size of the *rr* in different region and year combinations

Table S1. The normality tests of the rr of different years based on

Year p	Statistical conclusion
2011 0.09	The rr of 2011 followed N~(47.41%, 27.41%)
2012 0.15	The rr of 2012 followed N~(52.46%, 28.30%)
2013 0.23	The rr of 2013 followed N~(55.53%, 30.24%)
2014 0.27	The rr of 2014 followed N~(57.37%, 28.25%)

Kolmogorov-Smirnov Test

Table S2. The homogeneity test of the rr variances over different years based on

Levene's Test

Levene Statistic*	$df_1^{**}$	$df_2$	р	Statistical conclusion
0.905	3	421	0.44	The variances of rr in every year of 2011~2014 were the same.

\*Levene statistic is the tested statistic of Levene's Test; \*\*The "df" is the acronym of the degree of freedom, which was used to decide the p value for Levene's Test. The "df1" and "df2" represented two degrees of freedom of Levene's test.

Table S3. The normality tests of the *rr* over different provincial regions based on

Regions	р	Statistical conclusion
Jiangsu Province	0.60	The distribution of the rr of this region was normal with mean 52.27% and S.D 31.28%.
Shandong Province	0.39	The distribution of the rr of this region was normal with mean50.05% and S.D 26.14%.
Henan Province	0.32	The distribution of the rr of this region was normal with mean55.58% and S.D 30.20%.
Hebei Province	0.43	The distribution of the rr of this region was normal with mean57.61% and S.D 33.33%.
Sichuan Province	0.29	The distribution of the rr of this region was normal with mean45.40% and S.D 27.15%.
Hubei Province	0.83	The distribution of the rr of this region was normal with mean 57.63% and S.D 27.81%.
Hunan Province	0.62	The distribution of the rr of this region was normal with mean 56.58% and S.D 32.22%.
Anhui Province	0.21	The distribution of the rr of this region was normal with mean 50.98% and S.D 28.81%.
Ningxia Hui Autonomous Region	0.45	The distribution of the rr of this region was normal with mean 48.09% and S.D 34.56%.

Kolmogorov-Smirnov Test

Table S4. The homogeneity test of the *rr* variances over different provincial regions

Levene Statistic	$df_1$	$df_2$	р	Statistical conclusion
1 565	8	318	0.13	The variances of rr in different provincial
1.505	0	510	0.15	regions were the same.

Table S5. The normality tests of the *rr* over different pollutants and resources based

Resoruce or pollutant	р	Statistical conclusion
Fresh water	0.81	The distribution of the <i>rr</i> of fresh water was normal with mean 50.29% and S.D 26.31%.
Wastewater	0.90	The distribution of the <i>rr</i> of wastewater was normal with mean56.91% and S.D 25.95%.
COD	0.47	The distribution of the <i>rr</i> of COD was normal with mean58.41% and S.D 25.90%.
Heavy metal	0.10	The distribution of the <i>rr</i> of heavy metal was normal with mean 78.93% and S.D 22.23%.
Exhaust gas	0.74	The distribution of the <i>rr</i> of exhaust gas was normal with mean 58.03% and S.D 26.76%.

on Kolmogorov-Smirnov Test

Table S6. The homogeneity test of the *rr* variances over different pollutants and

resources based on Levene's Test

Levene Statistic	$df_{I}$	$df_2$	р	Statistical conclusion
0.498	4	248	0.74	The variances of <i>rr</i> in different
				provincial regions were the same.

Table S7. The normality tests of the rr over different industry sectors based on

Industries	р	Statistical conclusion
Primary		The distribution of the rr of primary chemical
chemical	0.26	industry was normal with mean 55.45% and S.D
industry		29.96%.
Food industry	0.36	The distribution of the rr of food industry was
roou muusu y	0.50	normal with mean 45.04% and S.D 26.83%.
Pesticide	0.21	The distribution of the rr of pesticide industry was
industry	0.21	normal with mean 60.20% and S.D 32.42%.
Metallurgical 0.88		The distribution of the rr of metallurgical industry
industry	0.88	was normal with mean 60.02% and S.D 25.97%.
Tautila in duatory	0.15	The distribution of the rr of textile industry was
Textile industry	0.15	normal with mean 50.05% and S.D 28.41%.
Dottoms in dustmy	0.25	The distribution of the <i>rr</i> of battery industry was
Battery industry	0.35	normal with mean 54.98% and S.D 28.88%.

Kolmogorov-Smirnov Test

Table S8. The homogeneity test of the *rr* variances over different industry sectors

# based on Levene's Test

Levene Statistic	$df_1$	$df_2$	р	Statistical conclusion
2.093	5	353	0.07	The variances of <i>rr</i> in different industries were the same.