## **Taxonomic resolution and treatment effects – alone and combined – can mask**

- **significant biodiversity reductions**
- 
- 4 Claudio Bozzuto <sup>1,2</sup> & Wolf U. Blanckenhorn<sup>1\*</sup>
- <sup>1</sup> Institute of Evolutionary Biology and Environmental Studies, Winterthurerstrasse 190,
- 8057 Zurich, Switzerland.
- <sup>2</sup> Current address:
- Wildlife Analysis GmbH, Oetlisbergstrasse 38, 8053 Zurich, Switzerland.
- 
- 
- **Supplementary material:**
- 
- **Additional methods and results: inclusion of competition (with Figures A1- A3).**
- **Figures A1 – A3, S1 – S2.**
- **Tables S1 & S2.**
- 
- 

# **Additional methods and results: inclusion of competition.**



## **Methods**

 To study the effect of competition, we apply the concept of press perturbation (Bender 1984). For the simple situation here of one genus with two competing species, this implies that when one species is reduced in abundance due to treatment, the other species shifts to a higher equilibrium value.

 We apply a simple Lotka-Volterra competition model to calculate the modified equilibrium densities. The scaled system without treatment for two equally good competitor species is given by eq. 11:

$$
\frac{dX}{dt} = 1 - (X + \gamma Y) \n\frac{dY}{dt} = 1 - (Y + \gamma X)
$$
\n(11)

41 Without treatment both species would attain the same equilibrium value  $E = 1/(\gamma + 1)$ . 42 However, in case one competing species is affected by treatment, its abundance is kept at 43  $E_t = \alpha E$ , whereas the congeneric species will reach the new equilibrium value  $E' = 1 -$ 44  $\alpha y/(\gamma + 1)$ . For such a competitive system to have a stable non-trivial equilibrium point, 45 all interaction strength parameters must be smaller than 1. Nonetheless, to simplify the 46 following equations, we chose parameter values of 1. In dynamical terms this turns the equilibrium point into a half-stable one, in this case  $E_t = \alpha/2$  and  $E' = 1 - \alpha/2$ . By 48 choosing a carrying capacity of  $K = 2n$ , and noting that  $E_t$  and E' represent proportions, the equilibrium abundances are given by  $n_t = \alpha n$ , and  $n' = n(2 - \alpha)$ . 50 Next, we derive the diversity index when all species are determined at species 51 level. Three cases have to be considered: a) no species in a genus is affected by treatment, 52 b) both species are affected by treatment, and c) only one of the species is affected by 53 treatment. For case c), both equilibria  $n_t$  and  $n'$  are relevant, for case a) none of them is relevant, and for case b) the same equilibrium  $n_t$  is relevant for both species. The total 55 number of individuals is  $\overline{N} = (S(1 - \delta) - S\delta(1 - \psi))n + Sn\alpha\delta\psi + Sn\alpha\delta(1 - \psi) +$ 56  $Sn(2 - \alpha)\delta(1 - \psi)$ , which can be simplified to  $\overline{N} = N(1 + \delta\psi(\alpha - 1))$ . For the latter 57 case we write  $\overline{N} = Nh$ , also used for eq. 16. Thus, the equation for the Simpson-index 58 with competition includes on the right side, from left to right (eq. 12): (i) unaffected 59 species (without competition), (ii) affected species (without competition), (iii) affected 60 species (with competition), and (iv) unaffected species (with competition).

$$
t^{0L}_{t+c}\lambda
$$
  
=  $(S(1-\delta) - S\delta(1-\psi))\left(\frac{n}{\overline{N}}\right)^2 + S\delta\psi\left(\frac{\alpha n}{\overline{N}}\right)^2 + S\delta(1-\psi)\left(\frac{\alpha n}{\overline{N}}\right)^2$   
+  $S\delta(1-\psi)\left(\frac{(2-\alpha)n}{\overline{N}}\right)^2$  (12)

63 Rearranging and simplifying eq. 12 leads to eq. 13:

64

$$
\det_{t+c} \lambda = \lambda_0 \left( \frac{1 + \delta(\alpha^2 - 1)}{h^2} + \frac{\delta(1 - \psi)((2 - \alpha)^2 - 1)}{h^2} \right)
$$
(13)

65

66 If  $\psi = 1$ , then  ${}_{t+c}^{0L}\lambda$  reduces to  ${}_{t}\lambda$ . If  $\psi = 0$ , eq. 13 reduces to:

67

$$
{}_{t+c}^{0L} \lambda_{\psi=0} = \lambda_0 (1 + 2\delta(\alpha - 1)^2)
$$
\n(14)

68

 The last case we discuss includes competition *and* taxonomic resolution. Here again we make the assumption of a strong phylogenetic signal (see explanation for eq. 9 above), but only in part. Obviously, competition effects are only expressed if only one (of two) species is affected by treatment, so the strong assumption does not make sense at this level. However, for the binning process the reduced abundance of an affected species plus the increased abundance of its competitive congener result in the same total abundance at 75 genus level as for two unaffected species taken together, namely  $2n$ . The above-mentioned partial assumption of a strong phylogenetic signal thus means that for all genera whose species are *not* competitors we make the strong assumption: both species are or are not affected by treatment.

 The equation for the Simpson-index including competition and taxonomic 80 resolution includes on the right side, from left to right (eq. 15), with  $\overline{N}$  as defined for eq. 12: (i) unaffected species at species level, (ii) unaffected species at the higher level, (iii) affected species (without competition) at species level, (iv) affected species (without competition) at a higher level, (v) unaffected species (with competition) at species level, (vi) affected species (with competition) at species level, and (vii) mixed affected/unaffected species (with competition) at a higher level. 86

$$
t\substack{1}{+}c\lambda
$$

$$
= (S(1 - \delta) - S\delta(1 - \psi) - b2^u) \left(\frac{n}{\overline{N}}\right)^2 + b\left(\frac{2^u n}{\overline{N}}\right)^2 + (S\delta\psi - b_\delta 2^u) \left(\frac{\alpha n}{\overline{N}}\right)^2
$$
  
+  $b_\delta \left(\frac{2^u \alpha n}{\overline{N}}\right)^2 + (S\delta(1 - \psi) - b_\psi 2^{u-1}) \left(\frac{\alpha n}{\overline{N}}\right)^2$   
+  $(S\delta(1 - \psi) - b_\psi 2^{u-1}) \left(\frac{(2 - \alpha)n}{\overline{N}}\right)^2 + b_\psi \left(\frac{2^u n}{\overline{N}}\right)^2$  (15)

87

88 Rearranging and simplifying eq. 15 leads to eq. 16:

$$
t^{1L}_{t+c} \lambda
$$
  
=  $\lambda_0 \left( \frac{1 + \delta(\alpha^2 - 1)}{h^2} + \frac{\delta(1 - \psi)((2 - \alpha)^2 - 1)}{h^2} + \frac{(b + \alpha^2 b_\delta)2^{u - d}(2^u - 1)}{h^2} + \frac{b_\psi 2^{u - d}(2^u - 2(\alpha - 1) - \alpha^2)}{h^2} \right)$  (16)

89

90 If  $\psi = 0$ , and hence  $b_{\delta} = 0$ , meaning that all affected species have a congener that is not 91 affected, eq. 16 reduces to:

$$
t + c^2 \lambda_{\psi=0}
$$
  
=  $\lambda_0 \left( 1 + 2\delta(\alpha - 1)^2 + 2^{u-d} (2^u - 1) \left( b + \frac{b_{\psi}(2^u - 2(\alpha - 1) - \alpha^2)}{(2^u - 1)} \right) \right)$  (17)

#### 94 **Results**

#### 95 *All Specimens Determined to Species Level*

96 Fig. A1a shows the effect of treatment alone (same as Fig. 3a) and Fig. A1b the effect of 97 treatment in combination with competition, i.e.  ${}_{t+c}^{0L}\lambda^{-1} - \lambda_0^{-1}$  (eqs. 13 & 4), both as 98 contour plots with species mortality ( $\delta$ ) and individual survival ( $\alpha$ ) as axes.  $\delta$  in Fig. A1b 99 stops at 0.5 because we chose  $\psi = 0$ , i.e. every genus contained one affected species and 100 one unaffected congener. For all combinations of  $\delta$  and  $\alpha$  the inclusion of competition 101 (Fig. A1b) always leads to a greater reduction in biodiversity, except for all  $\alpha$  with  $\delta = 0$ 102 and for all  $\delta$  with  $\alpha = 0$ .



104

105 **Fig. A1. (a)** Contour plots of the reduction in diversity as a function of treatment (t) when 106 all specimens are determined to species level, and **(b)** for the combined effect of 107 t[reatment] *and* c[ompetition within genus] (t+c). In (a) an additional contour plot is 108 overlaid showing the proportional reduction in total number of individuals. Species 109 mortality ( $\delta$ ) is on the x-axis and individual survival  $\alpha$  on the y-axis.

## *Taxonomic Resolution*

Fig. A2 shows the reduction in diversity when (i) including treatment (left column contour-

- plots a c), and (ii) for the combined effects of treatment and competition (right column
- contour-plots d f); left column panels are the same as in Fig. 5 (left column). The
- corresponding eqs. 10 and 13 allow including taxa at *one* higher taxonomic level that (i)
- 116 contain unaffected species (parameter b), (ii) contain affected species  $(b_{\delta})$ , or (iii) contain
- 117 species with competition  $(b<sub>w</sub>)$ , alone or in combination. Fig. A3 shows the same
- constellation, but with all higher taxa at family level. To permit direct comparison between
- taxonomic levels, in Fig. A3 we always used half of the values used at genus level (Fig.
- A2), as in our symmetrical tree (Fig. 1b) two genera bin into one family. For illustrative

purposes we chose the particular combinations leading to the three contour-plots in each

- 122 column of Figs. A2 & A3. If  $b_{\delta}$  and  $b_{\psi}$  are greater than 0, then the proportion of species
- 123 affected  $\delta > 0$  is a function of these taxa and their taxonomic level (Table 1). Therefore
- 124 the plotted values in Fig. A2b,c,e,f and A3b,c,e,f start at  $\delta > 0$  (x-axis).
- 



127 **Fig. A2.** Contour plots of the reduction in diversity as a function of taxonomic resolution 128 and treatment (left column), and for the combined effects of treatment (t), taxonomic 129 resolution, and within genus competition (right column: t+c), with all higher taxa (here 8) 130 at genus level. Species mortality ( $\delta$ ) is on the x-axis and individual survival ( $\alpha$ ) on the y-131 axis. Parameter combinations: (a,d) all higher taxa unaffected:  $b = 8$ ,  $b_{\delta} = b_{\psi} = 0$ ; (b,e) 132 four taxa affected  $(b = 4)$  and four unaffected  $(b_{\delta} = b_{\psi} = 4)$ ; **(c,f)** all taxa affected:  $b =$ 133 0,  $b_{\delta} = b_{\psi} = 8$ . Solid black lines: contour levels when only considering taxonomic 134 resolution effects. Solid white lines: reduction when treatment (in the left column, same 135 row) equals that with treatment and competition (in the right column). If  $b_{\delta}$  and  $b_{\psi}$  are 136 greater than 0, then the proportion of species affected  $\delta > 0$  is a function of these taxa 137 and their taxonomic level (Table 1); therefore the plotted values in Figure A3b,c,e,f start at 138  $\delta > 0$  (x-axis). 139



141

142 **Fig. A3.** Contour plots of the reduction in diversity as a function of taxonomic resolution 143 and treatment (left column), and for the combined effects of treatment (t), taxonomic 144 resolution, and within genus competition (right column: t+c), with all higher taxa (here 4) 145 at genus level. Species mortality ( $\delta$ ) is on the x-axis and individual survival ( $\alpha$ ) on the y-146 axis. Parameter combinations: (a,d) all higher taxa unaffected:  $b = 4$ ,  $b_{\delta} = b_{\psi} = 0$ ; (b,e) 147 two taxa affected  $(b = 2)$  and two unaffected  $(b_{\delta} = b_{\psi} = 2)$ ; **(c,f)** all taxa affected:  $b = 0$ , 148  $b_{\delta} = b_{\psi} = 4$ . Solid black lines: contour levels when only considering taxonomic resolution 149 effects. Solid white lines: reduction when treatment (in the left column, same row) equals 150 that with treatment and competition (in the right column). If  $b_{\delta}$  and  $b_{\psi}$  are greater than 0, 151 then the proportion of species affected  $\delta > 0$  is a function of these taxa and their 152 taxonomic level (Table 1); therefore the plotted values in Figure A3b,c,e,f start at  $\delta > 0$ 153 (x-axis). 154



**Discussion**

When not considering taxonomic resolution, adding competition led to additional

reductions in diversity beyond those exerted by treatment (Fig. A1). This results because

 competition, as defined in this study, introduces within-genus variation, and consequently overall unevenness. Although in our analytical approach competition can be varied by 182 changing the parameter  $\psi$ , we only showed results for  $\psi = 0$ , the situation when every genus contains one unaffected and one affected species. This implies that, as every affected species is reduced in abundance by the treatment, the corresponding competing species rises in abundance in a compensatory way due to competitive release, thus resulting in a less even community abundance distribution with a lower diversity index compared to the 187 equivalent situation without competition ( $\psi = 1$ ).

 When treatment and taxonomic resolution effects are further combined with competition, the overall picture gets more varied and rather difficult to explain without resorting to the analysis of the underlying equations (avoided here). First, when all higher taxa comprise only unaffected species, the addition of competition attenuates the diversity reduction for some (genus-level: Fig. A2a vs. d) or all parameter combinations (family- level: Fig. A3a vs. d). However, when the number of unaffected taxa at the higher level decreases by including more affected taxa (Figs. A2b,c,e,f & A3b,c,e,f), competition almost always further reduces biodiversity (exception depicted in Fig. S3e). Second, compared to the situation with ideal taxonomic resolution (solid black contour lines in 197 Figs. A2  $\&$  A3), adding competition prevents the above-mentioned smaller diversity reduction due to treatment (compare red shadings above the black line in Fig. A2b,c to Fig. A2e,f, where the black line is situated at the top of the graph at 100% individual survival). Third, no strong nonlinearities appear when introducting competition (in fact, they 201 disappear: compare right and left columns in Figs.  $A2 \& A3$ ). This occurs because the combined abundances of two congeners experiencing competition, with only one being affected by treatment, result in the same total abundance as two unaffected congeners. Thus, augmenting the number of taxa at the higher level including competition has



not more often reported. Revista Chilena de Historia Natural, 63:149-156.

220 **Table S1:** Analysis of variance table testing for the combined effects of species mortality (3 levels), individual mortality (4 levels) and (a) 4 raw

taxonomic levels (repeated measure: baseline species, genus, family, and mixed; corresponding to Fig. 2) on the simulated diversity index <sup>2</sup>D,

and (b) of 3 taxonomic levels (mixed, genus, family) on the *reduction* in the simulated diversity index  ${}^{2}D$  relative to the baseline species level

223 (corresponding to Fig. 3).









**Figure S1.** Mean (± SE) effect of species mortality level (x-axis) and individual mortality level within species (from left to right: 25% (squares),

50% (triangles), 75% (diamonds), 100%(circles)) on the *reduction* in simulated biodiversity index *<sup>2</sup> D* relative to the baseline, full-knowledge

- species level situation per treatment combination (i.e. deducting the values given in Figure 2a in all cases) for the (a) mixed (left), (b) genus level
- (center), and (c) family level (right) analyses. The pentagon to the left defines the baseline diversity without any mortality.





**Figure S2.** Mean  $(\pm \text{SE})$  effect of species mortality level (x-axis) and individual mortality level within species (from left to right: 25% (squares), 50% (triangles), 75% (diamonds), 100% (circles)) on the simulated diversity index  $^{1}D$  for the (a) baseline, full-knowledge species level, (b) genus level, and (c) family level, as well as for the (d) average, (e) maximal, and (f) minimal taxonomic mixes when considering all possible combinations of taxonomic resolution and treatment. The pentagon to the left defines the baseline diversity without any mortality.