

A formula that gives numbers ended in 1,3,7,9

Consider the next formula:

$$((p_n)^{8n} - 1) \mp p_x^{4n} = p$$

Where P is a prime number by varying the number one by 3,5,9 it will give a series of numbers ended in 1,3,7,9.

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sq=Table[j,{j,100000}]
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sq1=Table[j,{j,9050}]
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n=Select[sq,PrimeQ,(1000)]
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sq=Table[j,{j,100000}]
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b=Select[sq,PrimeQ,(1000)]
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```
n1=(n^8-1)+(b^4)
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x=Select[n1,CompositeQ,(1000)]
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x11=Select[n1,PrimeQ,(1000)]
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$$((p_n)^{8n} - 1) \mp p_x^{4n} = \dots 1$$

Result:

271,6641,391249,5767201,214373521,815759281,6975840961,1698
3693361,78311265121,500247120241,852891960961,35124813280
81,7984928054881,11688203696401,23811291541441,6225969830
1841,146830449721681,191707326843121,406067697707761,6457
53556657441,806460120292321,1517108848856641,22522922795
97361,3936588868444321,7837433682906241,1082856716034120
1,12667700926427041,17181861929398801,19925626558060081,2
6584442092111681,67675234501163521,86730203763506161,124

097930319955681,139353667584984721,242935033242013201,27
0281038647016801,369145195180959601,498311415024032881,6
04967117738931361,802359179371836721,1053960289915339441
,1151936658896783761,1771197286983079681,192512295430646
4001,2268453125455125841,2459374193121357601,39287974803
72271921,6115597642364353921,7050287994933579121,7562821
651670085841,8686550891053956961,10645920231047075521,11
379844841934761281,15753961215783378001,1903114800396357
1201,22890010295325365281,27416893187817405361,290907104
10417771841,34660765699441531921,38873223858858348961,41
142576398467070161,54317648816690792401,7890545052652462
2001,87515123956784241121,92120163566584776481,101970394
099344491761,144086718367756636561,166356282582417170881
,210201493961487180241,220091573690375410801...

sq=Table[j,{j,100000}]

sq1=Table[j,{j,9050}]

n=Select[sq,PrimeQ,(1000)]

sq=Table[j,{j,100000}]

b=Select[sq,PrimeQ,(1000)]

n1=(n^8-3)+(b^4)

x=Select[n1,CompositeQ,(1000)]

x11=Select[n1,PrimeQ,(1000)]

$$((p_n)^{8n} - 3) \mp p_x^{4n} = \dots 9$$

Result:

{269,6639,391247,5767199,214373519,815759279,6975840959,169
83693359,78311265119,500247120239,852891960959,3512481328
079,7984928054879,11688203696399,23811291541439,622596983
01839,146830449721679,191707326843119,406067697707759,645
753556657439,806460120292319,1517108848856639,2252292279
597359,3936588868444319,7837433682906239,108285671603411

99,12667700926427039,17181861929398799,19925626558060079,
 26584442092111679,67675234501163519,86730203763506159,12
 4097930319955679,139353667584984719,242935033242013199,2
 70281038647016799,369145195180959599,498311415024032879,
 604967117738931359,802359179371836719,

sq=Table[j,{j,100000}]

sq1=Table[j,{j,9050}]

n=Select[sq,PrimeQ,(1000)]

sq=Table[j,{j,100000}]

b=Select[sq,PrimeQ,(1000)]

n1=(n^8-5)+(b^4)

x=Select[n1,CompositeQ,(1000)]

x11=Select[n1,PrimeQ,(1000)]

$$((p_n)^{8n} - 5) \mp p_x^{4n} = \dots 7$$

Result:

{267,391245,5767197,214373517,815759277,6975840957,1698369
 3357,78311265117,500247120237,852891960957,3512481328077,
 7984928054877,11688203696397,23811291541437,622596983018
 37,146830449721677,191707326843117,406067697707757,645753
 556657437,806460120292317,1517108848856637,2252292279597
 357,3936588868444317,7837433682906237,10828567160341197,1
 2667700926427037,17181861929398797,19925626558060077,265
 84442092111677,67675234501163517,86730203763506157,12409
 7930319955677,139353667584984717,242935033242013197,2702
 81038647016797,369145195180959597,498311415024032877,604
 967117738931357,802359179371836717,1053960289915339437,1
 151936658896783757,1771197286983079677,19251229543064639
 97,2268453125455125837,2459374193121357597,3928797480372

271917,6115597642364353917,7050287994933579117,756282165
 1670085837,8686550891053956957,10645920231047075517,1137
 9844841934761277,15753961215783377997,190311480039635711
 97,22890010295325365277,...

sq=Table[j,{j,100000}]

sq1=Table[j,{j,9050}]

n=Select[sq,PrimeQ,(1000)]

sq=Table[j,{j,100000}]

b=Select[sq,PrimeQ,(1000)]

n1=(n^8-9)+(b^4)

x=Select[n1,CompositeQ,(1000)]

x11=Select[n1,PrimeQ,(1000)]

$$((p_n)^{8n} - 9) \mp p_x^{4n} = \dots 3$$

Result:

{263,6633,391241,5767193,214373513,815759273,6975840953,169
 83693353,78311265113,500247120233,852891960953,3512481328
 073,7984928054873,11688203696393,23811291541433,622596983
 01833,146830449721673,191707326843113,406067697707753,645
 753556657433,806460120292313,1517108848856633,2252292279
 597353,3936588868444313,7837433682906233,108285671603411
 93,12667700926427033,17181861929398793,19925626558060073,
 26584442092111673,67675234501163513,86730203763506153,12
 4097930319955673,139353667584984713,242935033242013193,2
 70281038647016793,369145195180959593,498311415024032873,
 604967117738931353,802359179371836713,105396028991533943
 3,1151936658896783753,1771197286983079673,19251229543064
 63993,2268453125455125833,2459374193121357593,3928797480
 372271913,6115597642364353913,7050287994933579113,756282
 1651670085833,8686550891053956953,10645920231047075513,1

1379844841934761273,15753961215783377993,190311480039635
71193,22890010295325365273,