Adendo

If someone cres to take a deep look at these program lines, he will see that the correlation of the yellow lines with the graphs allows for an extension of the use of the numbers s1cc as a manner to show that there will be a nullification of the values of the zeta non trivial zeros numbers in the graphs showing that they are correlated and result in zero for the operation highlighted in yellow. llk=x2c2c2-proof2 it will result in a series of zeros using either both numbers be it the zeta numbers or the natural integers... that are ploted in the x axis of the graphs... resulting in the zeros that are correspondente to the non trivial zeros of the zeta function...

sq=Table[j,{j,10000}]
n=Select[sq,PrimeQ,(200)]
sq2=Table[k,{k,200}]
n3=sq2*-1
r=Table[k1,{k1,200}]
f=(((Pi+1)*r)*Sqrt[(-2*Pi*r)/((Pi+1)*r)])/((Sqrt[(2*Pi*r)^2+2*Pi*r/n]))
bb=Im[f]
s1cc=(((1)+bb*r*Sqrt[-1])+((0)+bb*r*Sqrt[-1]))/2
zz=-n3
zx=n
proof3=Table[Im[ZetaZero[n]]//N,{n,200}]
x1c1c=$\sum_{zx=1}^{200}\left(1/zx\text{^}\left(1/2+proof3*\sqrt{-1}\right)\right)$
jj=Sum[1/zx*zx^s1cc,{2,541}]
u=N[jj]
k=N[x1c1c]
x1c1c2=$\sum_{zz=1}^{200}\left(1/zz\text{^}\left(1/2+proof3*\sqrt{-1}\right)\right)$
kk=N[x1c1c2]
x1cc1=Re[x1c1c]
x1cc2=Im[x1c1c]
x1c=Re[x1c1c2]
x1c2=Im[x1c1c2]
proof3=Table[Im[ZetaZero[n]]//N,{n,200}]

```
zs=proof3
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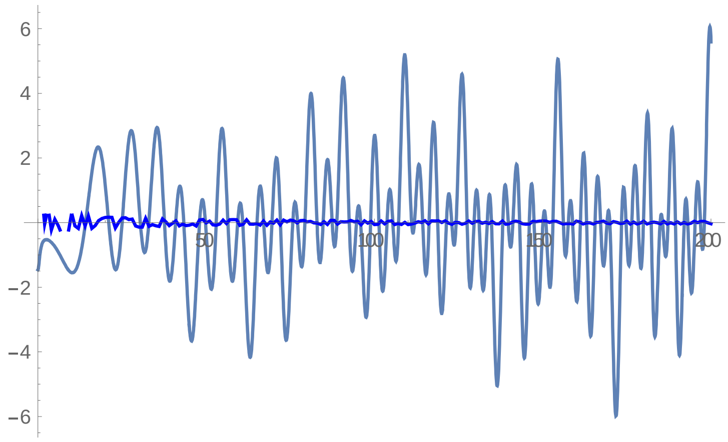
$$x2c2=\sum_{zs=1}^{200}\left(1/zs\hat{}\left(1/2+proof3*\sqrt{-1}\right)\right)$$

```
x2c2c=Re[x2c2]
x2c2c2=Im[x2c2]
N[%,9]
ListLinePlot[x2c2c]
ListLinePlot[x2c2c2]
bg=Mean[%]
proof2=x1c2
N[%,9]
proof=(x1cc1-x1cc2)/(x1cc1+x1cc2)
g=proof-proof2
gh1=proof3-proof2
bh=Mean[%]
lk=(bg+bh)/2
gh=(gh1+proof3)
jóia=gh-gh1
llk=x2c2c2-proof2
aa=Plot[RiemannSiegelZ[t],{t,0,200}]
bb=ListLinePlot[x2c2c2,PlotStyle->Blue]
cc=ListLinePlot[proof3,PlotStyle->Green]
dd=ListLinePlot[gh1,PlotStyle->Blue]
ee=ListLinePlot[llk,PlotStyle-> Red]
Show[aa,cc,dd]
Show[dd,cc]
Show[dd,ee]
Show[aa,bb]
ParametricPlot[{x1cc2}, {x1cc2, -Pi, Pi}]
proofN = x2c2c2 // N;
peaks = FindPeaks[proofN];
zeros = CrossingDetect[proofN]*Range@Length@proofN // Thread[{#, 0}]
& // DeleteCases[{0, 0}];

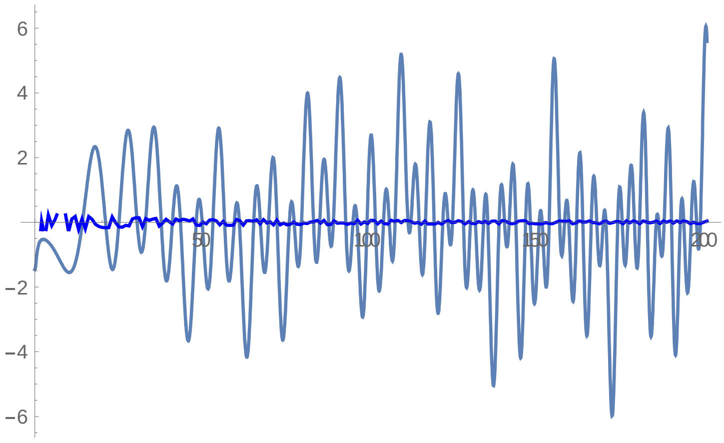
ListLinePlot[proofN,
  PlotRange -> All,
  Epilog -> {Red, Point@peaks, Blue, Point@zeros},
  ImageSize -> Large]
N[ZetaZero[1-100]]
```



sq=Table[j,{j,10000}]
n=Select[sq,PrimeQ,(200)]
sq2=Table[k,{k,200}]
n3=sq2*-1
r=Table[k1,{k1,200}]
f=(((Pi+1)*r)*Sqrt[(-2*Pi*r)/((Pi+1)*r)])/((Sqrt[(2*Pi*r)^2+2*Pi*r/n]))
bb=Im[f]
s1cc=(((1)+bb*r*Sqrt[-1])+((0)+bb*r*Sqrt[-1]))/2
zz=-n3
zx=n
x1c1c=$\sum_{zx=1}^{200}(1/zx*zx\text{^}s1cc)$
jj=Sum[1/zx*zx^s1cc,{2,541}]
u=N[jj]
k=N[x1c1c]
x1c1c2=$\sum_{zz=1}^{200}(1/zz*zz\text{^}s1cc)$
kk=N[x1c1c2]
x1cc1=Re[x1c1c]
x1cc2=Im[x1c1c]
N[%,9]
x1c=Re[x1c1c2]
x1c2=Im[x1c1c2]
N[%,9]
proof3=Table[Im[ZetaZero[n]]//N,{n,200}]
zs=proof3
x2c2=$\sum_{zs=1}^{200}\left(1/zs*zs\text{^}\left(1/2+proof3*\sqrt{-1}\right)\right)$
x2c2c=Re[x2c2]
x2c2c2=Im[x2c2]
N[%,9]
ListLinePlot[x2c2c]

```
ListLinePlot[x2c2c2]
bg=Mean[%]
proof2=x1c2
N[%,9]
proof=(x1cc1-x1cc2)/(x1cc1+x1cc2)
g=proof-proof2
gh1=proof3-proof2
bh=Mean[%]
lk=(bg+bh)/2
gh=(gh1+proof3)
jóia=gh-gh1
llk=x2c2c2-proof2
aa=Plot[RiemannSiegelZ[t],{t,0,200}]
bb=ListLinePlot[x2c2c2,PlotStyle->Blue]
cc=ListLinePlot[proof3,PlotStyle->Green]
dd=ListLinePlot[gh1,PlotStyle->Blue]
ee=ListLinePlot[llk,PlotStyle-> Red]
Show[aa,cc,dd]
Show[dd,cc]
Show[dd,ee]
Show[aa,bb]
ParametricPlot[{x1cc2}, {x1cc2, -Pi, Pi}]
proofN = x2c2c2 // N;
peaks = FindPeaks[proofN];
zeros = CrossingDetect[proofN]*Range@Length@proofN // Thread[{#, 0}]
& // DeleteCases[{0, 0}];

ListLinePlot[proofN,
  PlotRange -> All,
  Epilog -> {Red, Point@peaks, Blue, Point@zeros},
  ImageSize -> Large]
N[ZetaZero[1-100]]
```



```
sq=Table[j,{j,10000}]
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sq2=Table[k,{k,200}]
n3=sq2*-1
r=Table[k1,{k1,200}]
f=(((Pi+1)*r)*Sqrt[(-2*Pi*r)/((Pi+1)*r)])/((Sqrt[(2*Pi*r)^2+2*Pi*r/n]))
bb=Im[f]
s1cc=(((1)+bb*r*Sqrt[-1])+((0)+bb*r*Sqrt[-1]))/2
zz=-n3
zx=n
```

x1c1c=$\sum_{zx=1}^{100}(1/zx*zx\hat{}s1cc)$

```
jj=Sum[1/zx*zx^s1cc,{2,541}]
u=N[jj]
k=N[x1c1c]
```

x1c1c2=$\sum_{zz=1}^{100}(1/zz*zz\hat{}s1cc)$

```
kk=N[x1c1c2]
x1cc1=Re[x1c1c]
x1cc2=Im[x1c1c]
x1c=Re[x1c1c2]
x1c2=Im[x1c1c2]
proof3=Table[Im[ZetaZero[n]]//N,{n,200}]
bg=Mean[%]
proof2=(x1c-x1c2)/(x1c+x1c2)
proof=x1cc2
N[%,9]
g=proof-proof2
gh1=proof3-proof2
bh=Mean[%]
lk=(bg+bh)/2
gh=(gh1+proof3)
jóia=gh-gh1
aa=Plot[RiemannSiegelZ[t],{t,0,200}]
bb=ListLinePlot[proof,PlotStyle->Blue]
cc=ListLinePlot[proof3,PlotStyle->Green]
dd=ListLinePlot[gh1,PlotStyle->Blue]
ee=ListLinePlot[jóia,PlotStyle-> Red]
Show[aa,cc,dd]
Show[dd,cc]
Show[dd,ee]
Show[aa,bb]
proofN = gh // N;
peaks = FindPeaks[proofN];
```

```
zeros = CrossingDetect[proofN]*Range@Length@proofN // Thread[{#, 0}]
& // DeleteCases[{0, 0}];

ListLinePlot[proofN,
  PlotRange -> All,
  Epilog -> {Red, Point@peaks, Blue, Point@zeros},
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N[ZetaZero[1-100]]
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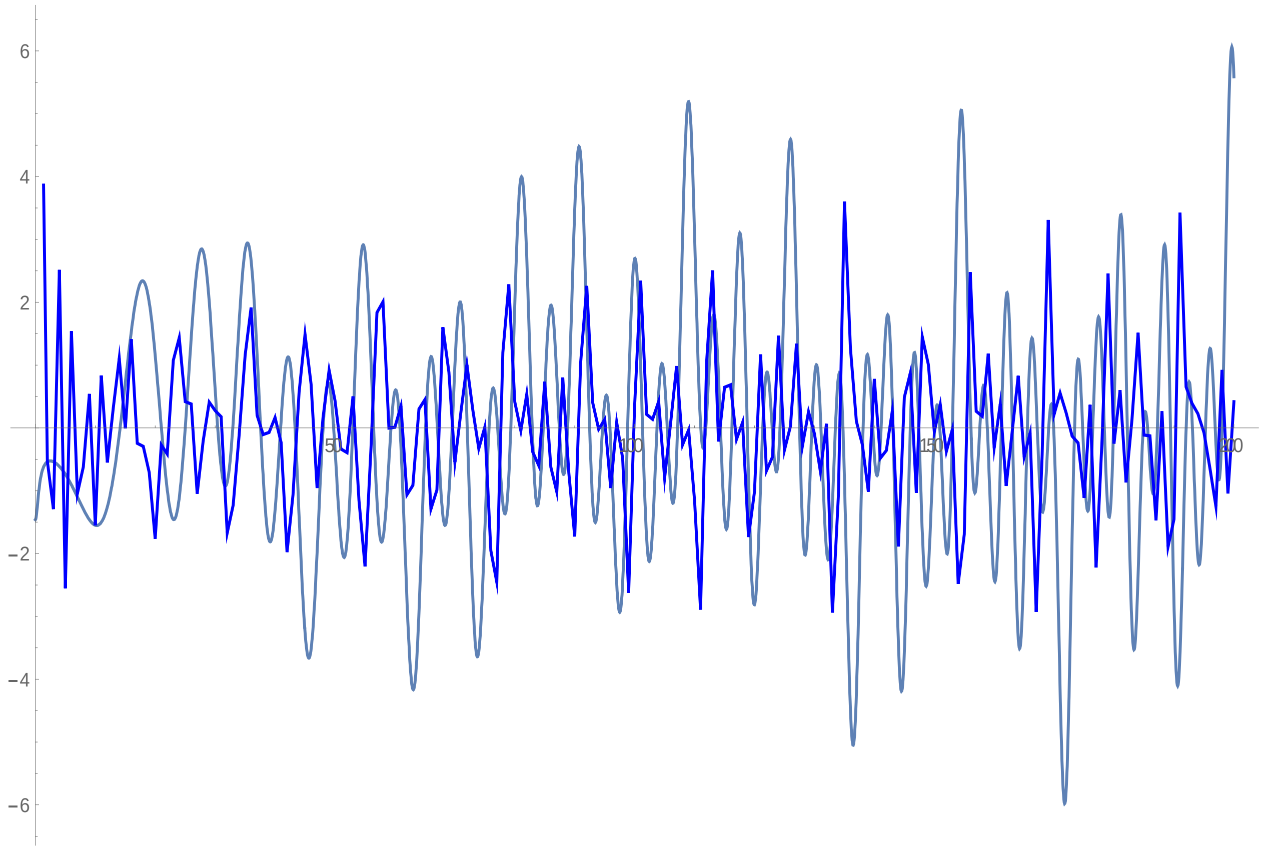


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sq2=Table[k,{k,200}]
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r=Table[k1,{k1,200}]
f=(((Pi+1)*r)*Sqrt[(-2*Pi*r)/((Pi+1)*r)])/((Sqrt[(2*Pi*r)^2+2*Pi*r/n]))
bb=Im[f]
s1cc=(((1)+bb*r*Sqrt[-1])+((0)+bb*r*Sqrt[-1]))/2
zz=-n3
zx=n
```

x1c1c=$\sum_{zx=1}^{200} (1/zx*zx^{s1cc})$

```
jj=Sum[1/zx*zx^s1cc,{2,541}]
u=N[jj]
k=N[x1c1c]
          200
x1c1c2=   ∑  (1/zz*zz^s1cc)
         zz=1
kk=N[x1c1c2]
x1cc1=Re[x1c1c]
x1cc2=Im[x1c1c]
x1c=Re[x1c1c2]
x1c2=Im[x1c1c2]
proof3=Table[Im[ZetaZero[n]]//N,{n,200}]
zs=proof3
        200
x2c2=   ∑  (1/zs*zs^s1cc)
       zs=1
x2c2c=Re[x2c2]
x2c2c2=Im[x2c2]
N[%,9]
ListLinePlot[x2c2c]
ListLinePlot[x2c2c2]
bg=Mean[%]
proof2=x1c2
N[%,9]
proof=(x1cc1-x1cc2)/(x1cc1+x1cc2)
g=proof-proof2
gh1=proof3-proof2
bh=Mean[%]
lk=(bg+bh)/2
gh=(gh1+proof3)
jóia=gh-gh1
llk=x2c2c2-proof2
aa=Plot[RiemannSiegelZ[t],{t,0,200}]
bb=ListLinePlot[x2c2c2,PlotStyle->Blue]
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Show[aa,cc,dd]
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ParametricPlot[{x1cc2}, {x1cc2, -Pi, Pi}]
proofN = x2c2c2 // N;
peaks = FindPeaks[proofN];
zeros = CrossingDetect[proofN]*Range@Length@proofN // Thread[{#, 0}]
& // DeleteCases[{0, 0}];

ListLinePlot[proofN,
  PlotRange -> All,
```

```
  Epilog -> {Red, Point@peaks, Blue, Point@zeros},
  ImageSize -> Large]
N[ZetaZero[1-100]]
```